

Vibration, acoustic and fatigue solvers in LS-DYNA®

Presented at DYNAmore information day

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Livermore Software Technology Corporation

10 October, 2017

Stuttgart, Germany

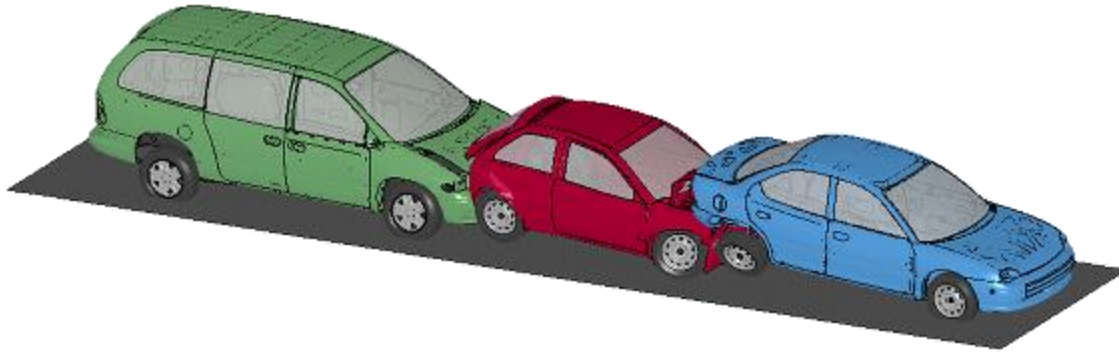
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- 1) Introduction
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- 3) Acoustic solvers
- 4) Fatigue solvers
- 5) Conclusion and future work

1) INTRODUCTION

Application of LS-DYNA in automotive industry



One code strategy

- In automotive, one model for crash, durability, NVH shared and maintained across analysis groups.
- Manufacturing simulation results from LS-DYNA used in crash, durability, and NVH modeling.

Crashworthiness

Occupant Safety

NVH

Durability

“All-in-one” package

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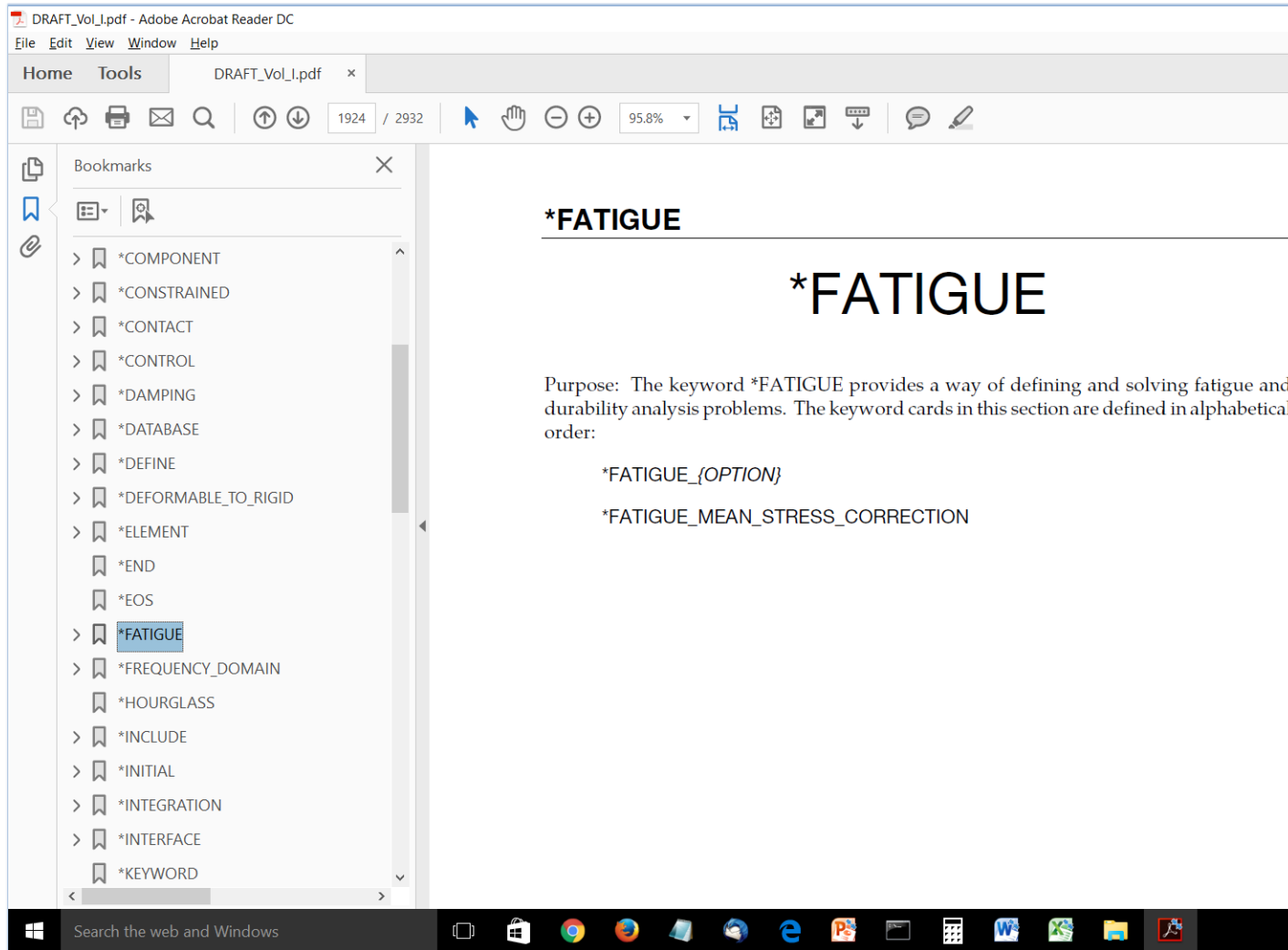
Bookmarks

- > > *DEFINE
- > > *DEFORMABLE_TO_RIGID
- > > *ELEMENT
- > > *END
- > > *EOS
- > > *FATIGUE
- > > ***FREQUENCY_DOMAIN**
- > > *HOURLASS
- > > *INCLUDE
- > > *INITIAL
- > > *INTEGRATION
- > > *INTERFACE
- > > *KEYWORD
- > > *LOAD
- > > *MODULE
- > > *NODE
- > > *PARAMETER
- > > *PART
- > > *PARTICLE_BLAST

*FREQUENCY_DOMAIN

Purpose: The keyword *FREQUENCY_DOMAIN provides a way of defining and solving frequency domain vibration and acoustic problems. The keyword cards in this section are defined in alphabetical order:

- *FREQUENCY_DOMAIN_ACCELERATION_UNIT
- *FREQUENCY_DOMAIN_ACOUSTIC_BEM_{OPTION}
- *FREQUENCY_DOMAIN_ACOUSTIC_FEM
- *FREQUENCY_DOMAIN_ACOUSTIC_FRINGE_PLOT_{OPTION}
- *FREQUENCY_DOMAIN_ACOUSTIC_INCIDENT_WAVE
- *FREQUENCY_DOMAIN_ACOUSTIC_SOUND_SPEED
- *FREQUENCY_DOMAIN_FRF
- *FREQUENCY_DOMAIN_MODE_{OPTION}
- *FREQUENCY_DOMAIN_PATH
- *FREQUENCY_DOMAIN_RANDOM_VIBRATION_{OPTION}
- *FREQUENCY_DOMAIN_RESPONSE_SPECTRUM
- *FREQUENCY_DOMAIN_SSD



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Bookmarks

- > *COMPONENT
- > *CONSTRAINED
- > *CONTACT
- > *CONTROL
- > *DAMPING
- > *DATABASE
- > *DEFINE
- > *DEFORMABLE_TO_RIGID
- > *ELEMENT
- *END
- *EOS
- > ***FATIGUE**
- > *FREQUENCY_DOMAIN
- *HOURLASS
- > *INCLUDE
- > *INITIAL
- > *INTEGRATION
- > *INTERFACE
- *KEYWORD

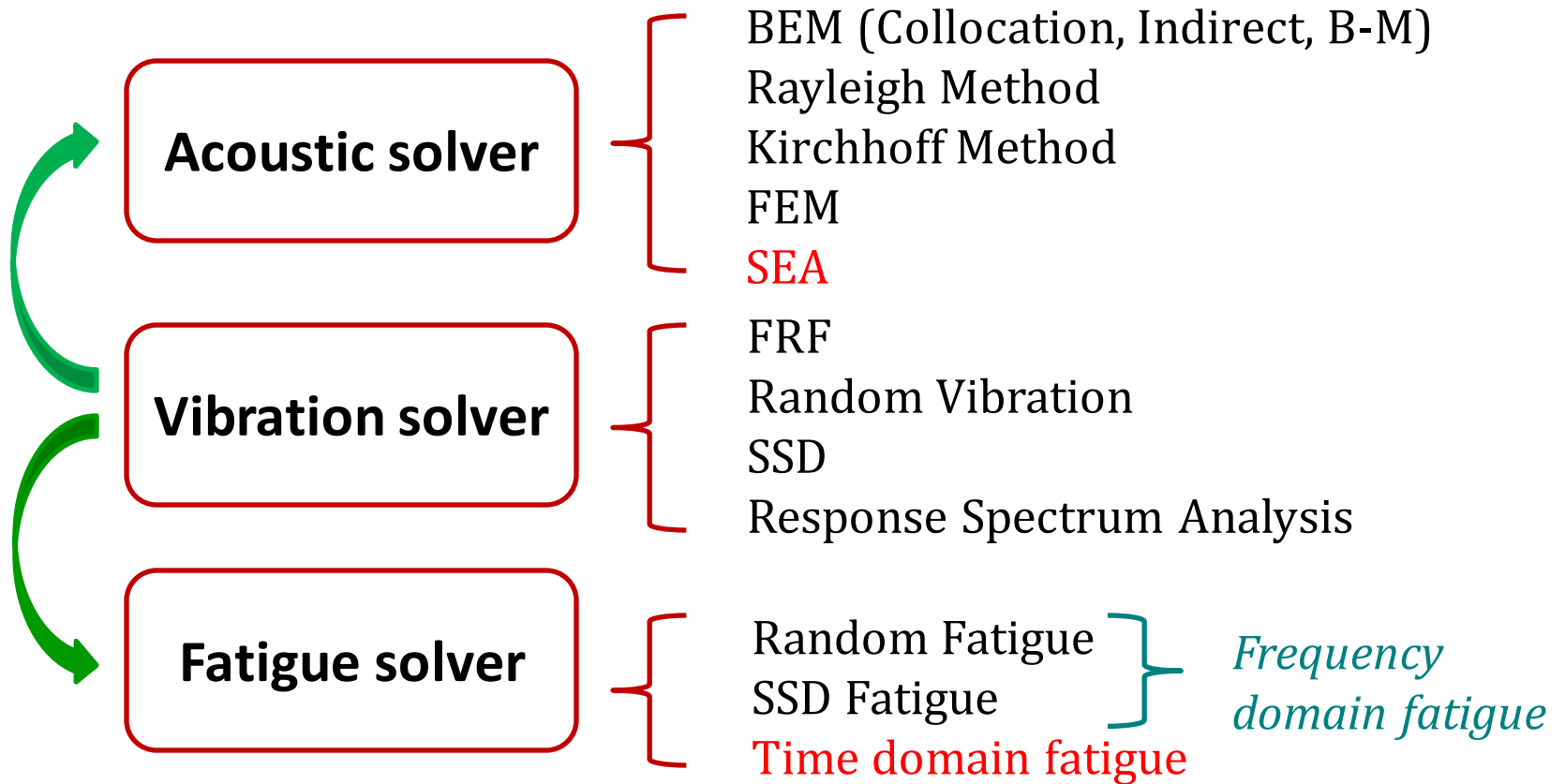
***FATIGUE**

***FATIGUE**

Purpose: The keyword *FATIGUE provides a way of defining and solving fatigue and durability analysis problems. The keyword cards in this section are defined in alphabetical order:

- *FATIGUE_{OPTION}
- *FATIGUE_MEAN_STRESS_CORRECTION

Search the web and Windows



2) VIBRATION SOLVERS

2.1) FRF (frequency response function)

2.2) SSD (steady state dynamics)

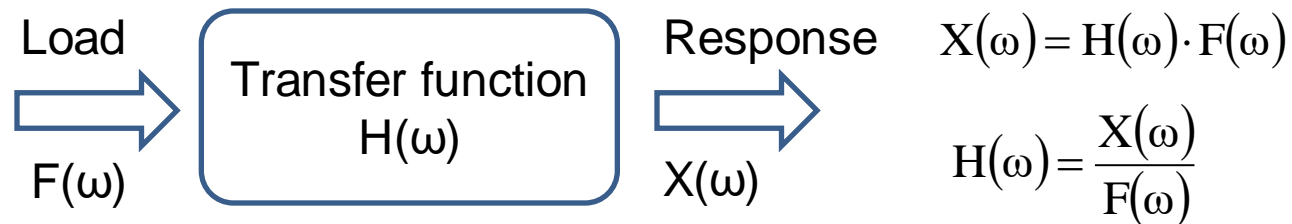
2.3) Random vibration analysis

2.4) Response spectrum analysis

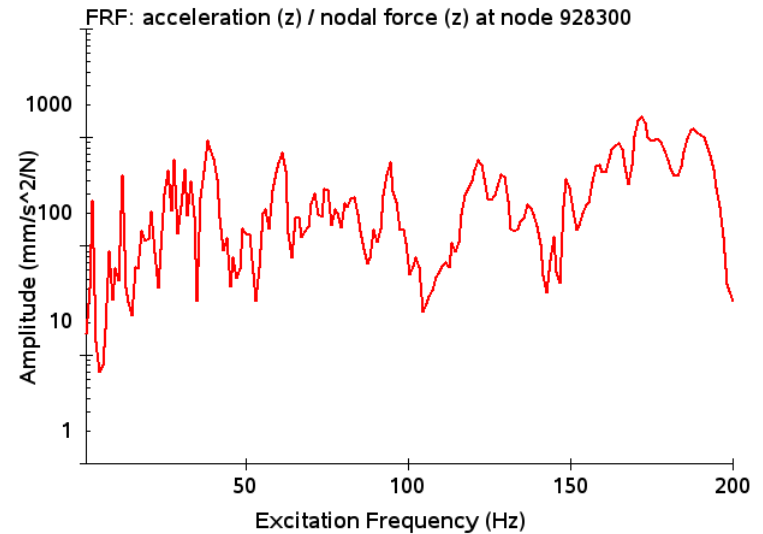
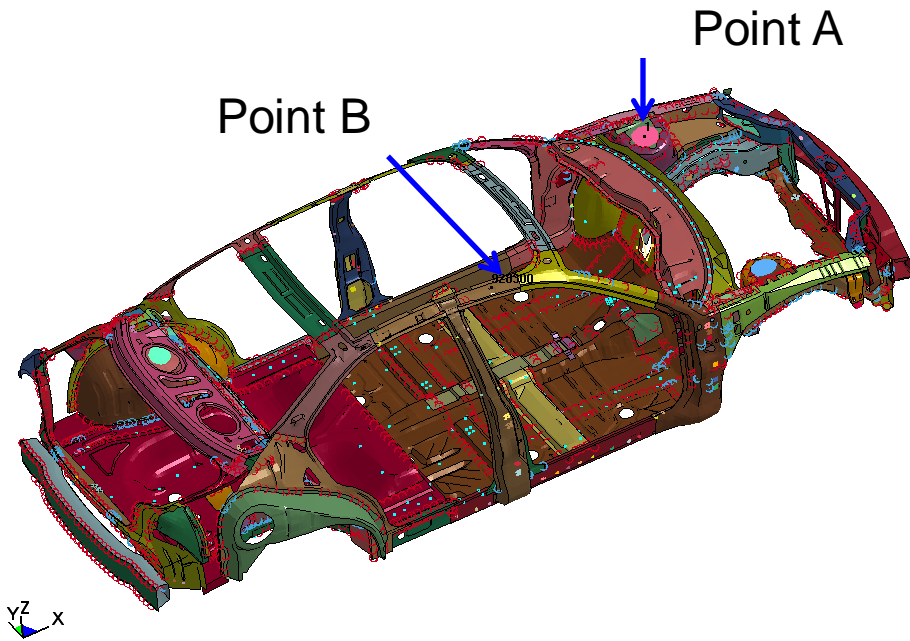
2.5) Modal transient analysis

2.1) Frequency Response Function

FRF (Frequency Response Function) provides a transfer function between excitations and response, and it can be used to locate the **energy transfer path**, or some important **dynamic properties of structures**



FRF	Load	Response
Accelerance, Inertance	Force	Acceleration
Effective Mass	Acceleration	Force
Mobility	Force	Velocity
Impedance	Velocity	Force
Dynamic Compliance, Admittance, Receptance	Force	Displacement
Dynamic Stiffness	Displacement	Force



Nodal force is applied at point A, and FRF response in the form of acceleration is calculated at point B

Acceleration at point B

Engineering Research Nordic AB: Nilsson, Larsgunnar, "Model Frequency Response Analysis in LS-DYNA - Application on a BIW Railway Car", *2010 Nordic LSDYNA Users Forum*, Gothenburg, Sweden, October, 2010.

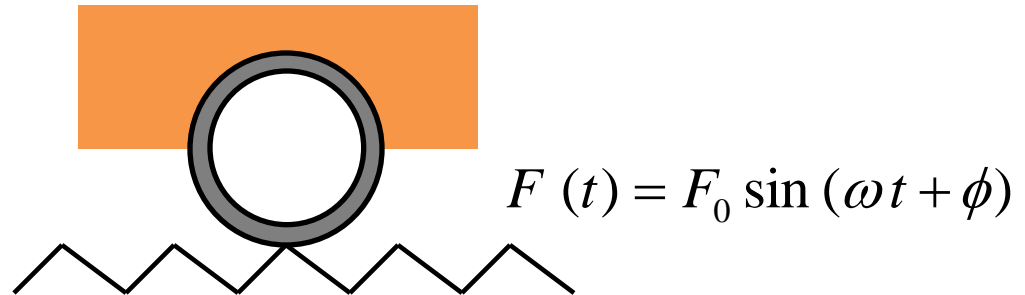
2.2) Steady State Dynamics

SSD (steady state dynamics) provides the steady state dynamic response of structures, subject to harmonic excitation.

Background

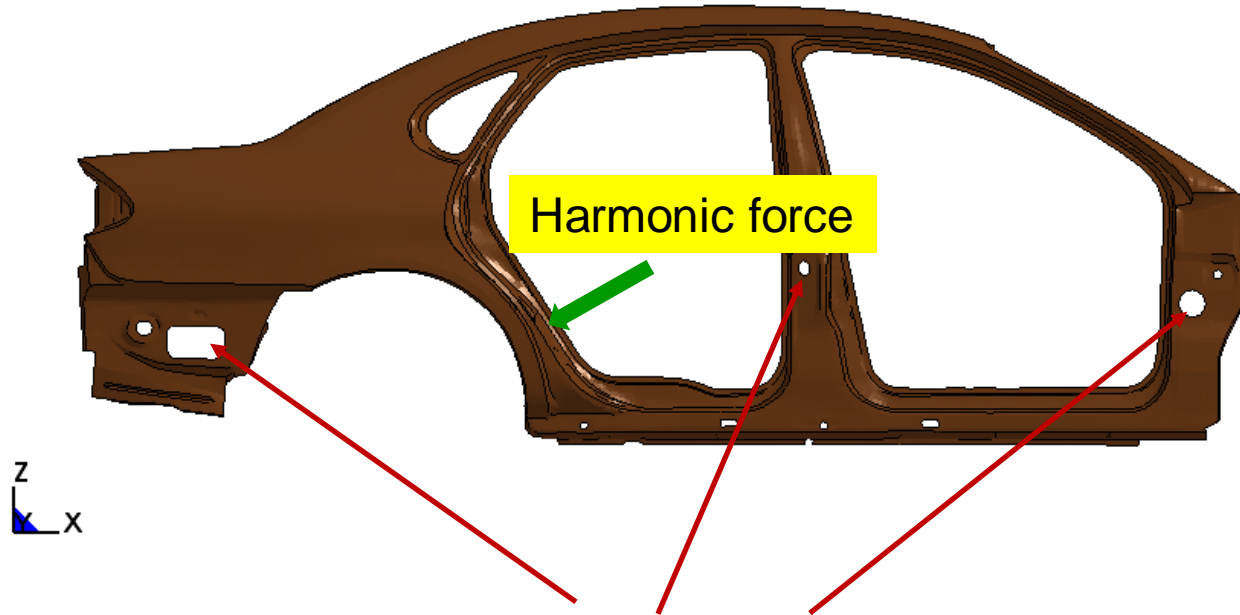
- Harmonic excitation is often encountered in engineering systems. It is commonly produced by the unbalance in rotating machinery.
- The load may also come from periodic load, e.g. in fatigue test.
- The excitation may also come from uneven base, e.g. the force on tires running on a zig-zag road (rough road shake test)

- May be called as
 - ✓ Harmonic vibration
 - ✓ Steady state vibration
 - ✓ Steady state dynamics



IFB Automotive Pvt Ltd: Nirmal Gilbert & Aravind YS, “*Steady State Dynamics analysis on a automotive shroud using LS-DYNA*”, 2015 Kaizenat LS-DYNA users conference, Bangalore and Pune, India.

SSD analysis on a side frame model



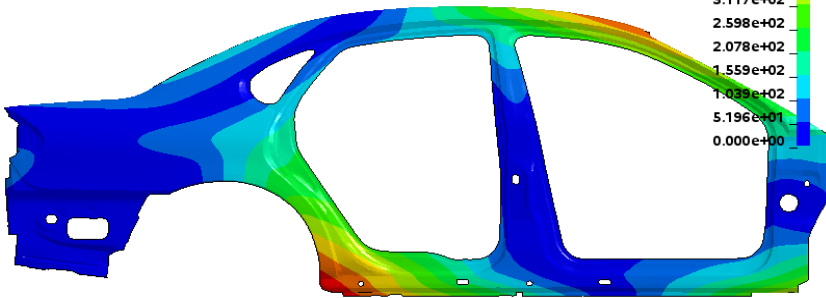
The frame is constrained via the 3 holes

The excitation is given in the range of 10-140 Hz, in the form of harmonic unit nodal force in the direction vertical to the frame.

Acceleration SSD (by d3ssd)

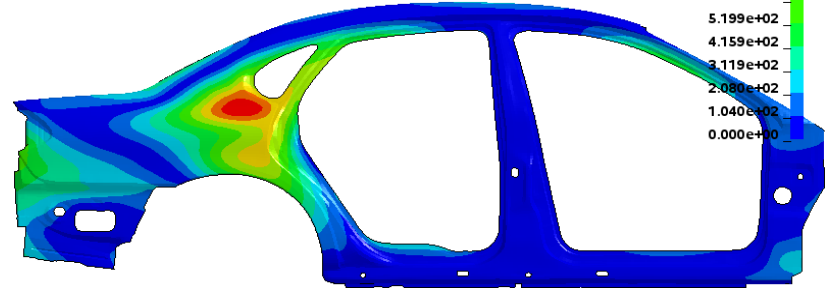
Freq = 10
Contours of Y-acceleration
min=0, at node# 2348800
max=519.557, at node# 2361762

Fringe Levels
5.196e+02
4.676e+02
4.156e+02
3.637e+02
3.117e+02
2.598e+02
2.078e+02
1.559e+02
1.039e+02
5.196e+01
0.000e+00



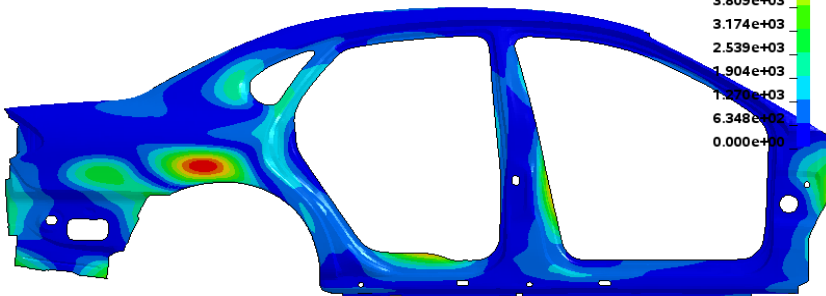
Freq = 60
Contours of Y-acceleration
min=0, at node# 2348800
max=1039.79, at node# 2359759

Fringe Levels
1.040e+03
9.358e+02
8.318e+02
7.279e+02
6.239e+02
5.199e+02
4.159e+02
3.119e+02
2.080e+02
1.040e+02
0.000e+00



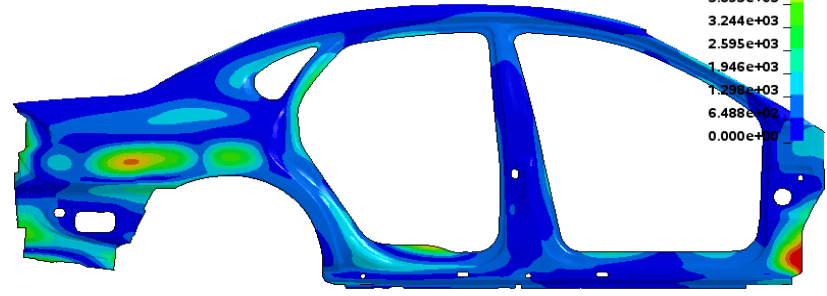
Freq = 110
Contours of Y-acceleration
min=0, at node# 2348800
max=6347.77, at node# 2360071

Fringe Levels
6.348e+03
5.713e+03
5.078e+03
4.443e+03
3.809e+03
3.174e+03
2.539e+03
1.904e+03
1.270e+03
6.348e+02
0.000e+00



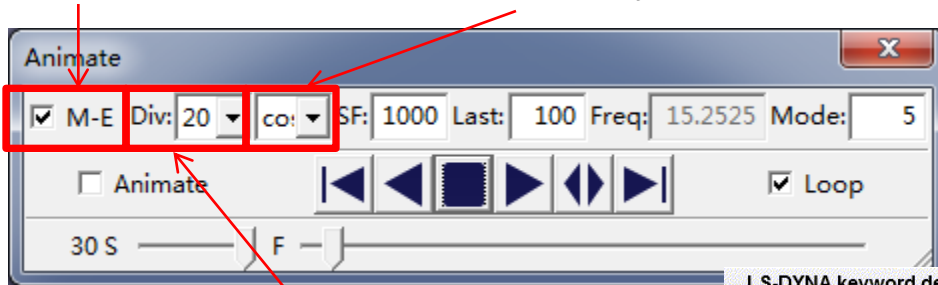
Freq = 140
Contours of Y-acceleration
min=0, at node# 2348800
max=6487.58, at node# 2352896

Fringe Levels
6.488e+03
5.839e+03
5.190e+03
4.541e+03
3.893e+03
3.244e+03
2.595e+03
1.946e+03
1.298e+03
6.488e+02
0.000e+00

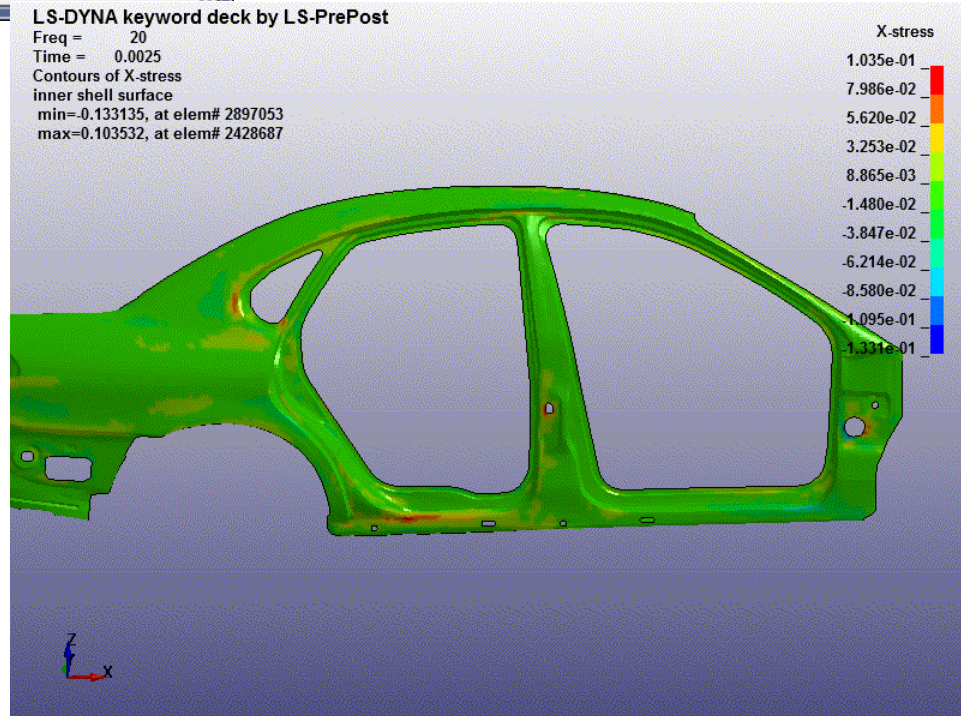


- Modal expansion (for D3SSD complex variable version)

Modal expansion Function type (sin, cos)



Time step (N)



Equivalent Radiated Power (ERP)



*FREQUENCY_DOMAIN_SSD_{ERP}

Acoustic intensity

$$I(r_P) = \frac{1}{2} \operatorname{Re} [p(r_P) \cdot v_n(r_P)^*]$$

ERP density

$$ERP_\rho = \frac{1}{2} \rho_F c_F V_n \overline{V_n}$$

ERP absolute

$$ERP_{abs} = \int_S ERP_\rho dS$$

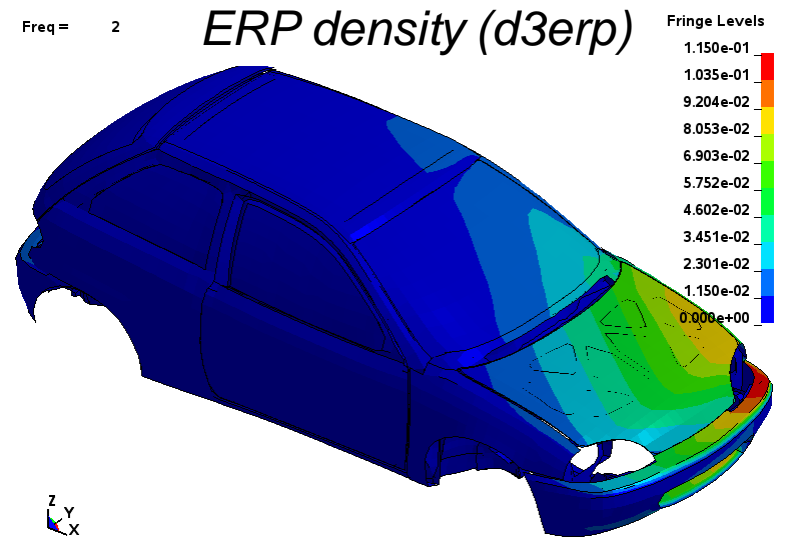
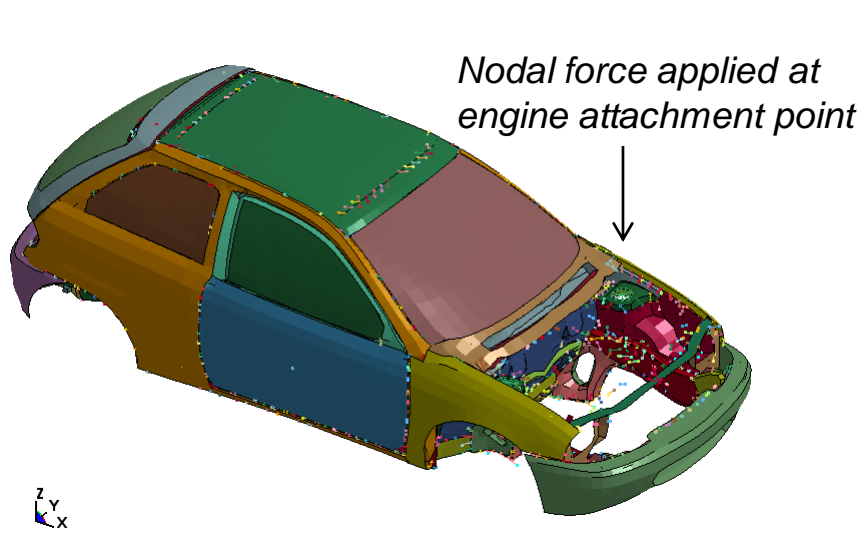
ERP in dB

$$ERP_{dB} = 10 \log_{10} (ERP_{abs} / ERP_{ref})$$

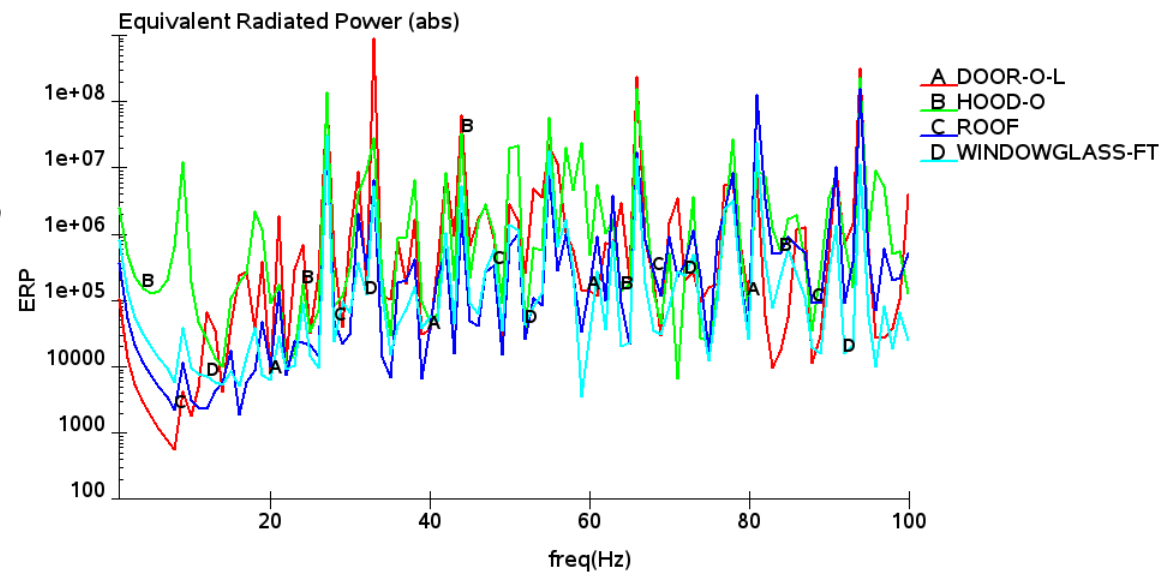
Calculation of ERP is a simple and fast way to characterize the structure borne noise. It gives user a good look at how panels contribute to total noise radiation. It is a valuable tool in early phase of product development.

ERP calculation results are saved in

- Binary database
 - ✓ d3erp
- ASCII xyplot files
 - ✓ ERP_abs
 - ✓ ERP_dB



With ERP, one can study the contribution to the radiated noise from each panel.



Damping options

*FREQUENCY_DOMAIN_SSD

Card 2	1	2	3	4	5	6	7	8
Variable	DAMP	LCDAM	LCTYP	DMPMAS	DMPSTF	DMPFLG		
Type	F	I	I	F	F	I		
Default	0.0	0	0	0.0	0.0	0		

- Viscous damping $F_v = c \cdot v$
- Structural damping $F_s = i \cdot G \cdot k \cdot u$

*DAMPING_PART_MASS

*DAMPING_PART_STIFFNESS

*DAMPING_STRUCTURAL

*MAT_DAMPER_VISCOUS

To be implemented / tested

Local viscous damping from more material models:

*MAT_LINEAR_ELASTIC_DISCRETE_BEAM

*MAT_ELASTIC_SPRING_DISCRETE_BEAM

Local structural damping



Option: direct solver

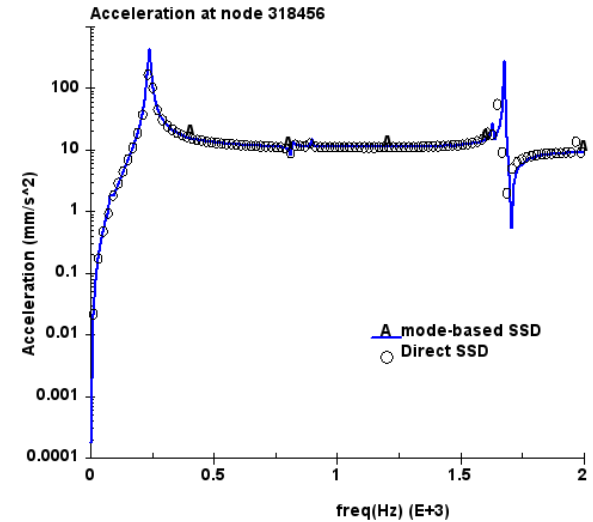
*FREQUENCY_DOMAIN_SSD_{DIRECT}

Indirect solver based on eigenmodes

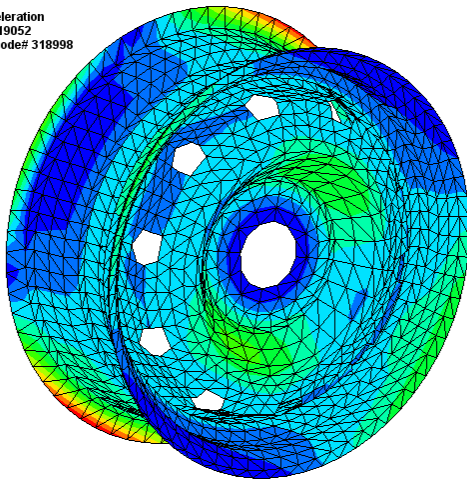
- *Fast*
- *Constant material properties*

Direct solver (physical coordinates)

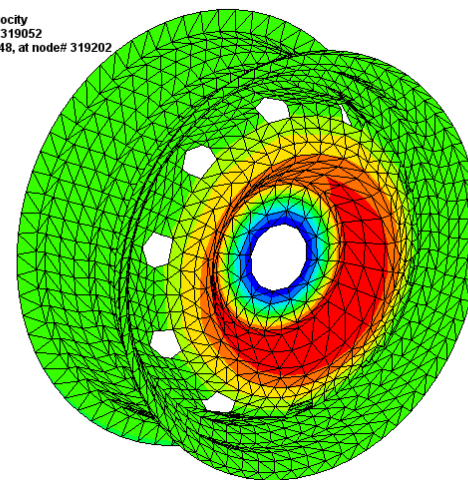
- *Slow*
- *Frequency dependent material properties*



Freq = 1971
Contours of Y-acceleration
min=0, at node# 319052
max=4.59856, at node# 318998



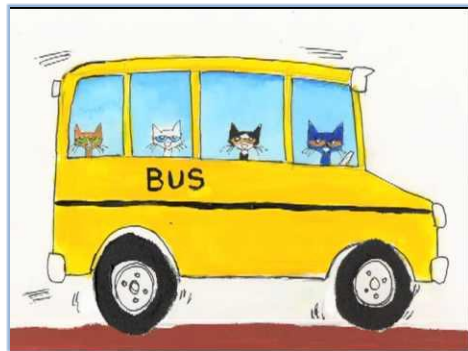
Freq = 2001
Contours of Y-velocity
min=0, at node# 319052
max=0.000134948, at node# 319202



2.3) Random vibration analysis

Why we need random vibration analysis?

- The loading on a structure is not known in a definite sense
- Many vibration environments are not related to a specific driving frequency (may have input from multiple sources)
- Examples:
 - Wind-turbine
 - Air flow over a wing or past a car body
 - Acoustic input from jet engine exhaust
 - Earthquake ground motion
 - Wheels running over a rough road
 - Ocean wave loads on offshore platforms





"Multi Axis Shaker Table" by Davevandongen - Moog FCS company.

Licensed under Creative Commons Attribution 3.0 via Wikimedia Commons -

http://commons.wikimedia.org/wiki/File:Multi_Axis_Shaker_Table.jpg#mediaviewer/File:Multi_Axis_Shaker_Table.jpg

Load

- Base acceleration
- Random pressure
- Plane wave
- Random progressive wave
- Reverberant wave
- Turbulent boundary layer
- Nodal force

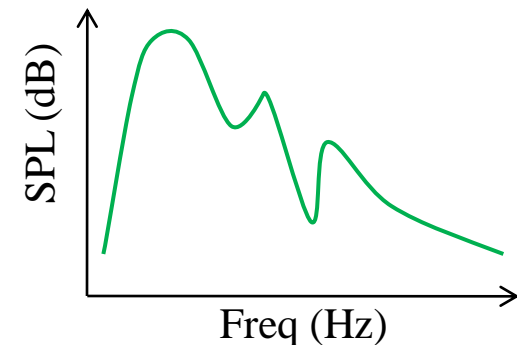
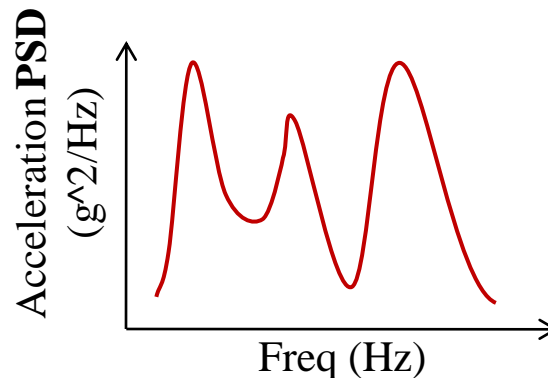
Pre-stress condition

- Thermal pre-stress*
- Mechanical pre-stress

Results

- PSD of u, v, a and stresses
- RMS of u, v, a and stresses
- zero-crossing frequencies

**Input curve:
PSD or SPL**



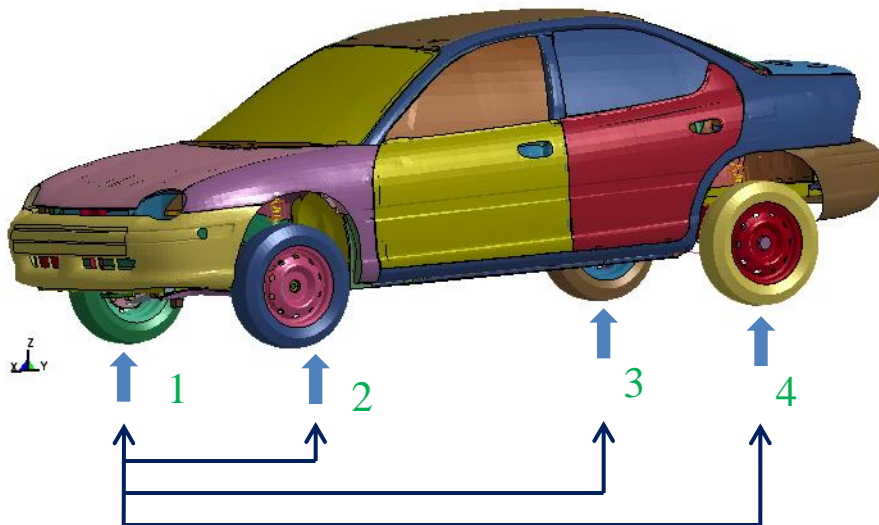
***Aerospace Portfolio, National Research Council, Canada:** Devon Downes, Manouchehr Nejad Ensan, “*Vibration Analysis of a Compressor Blade at High Temperature*”, 14th International LS-DYNA Users Conference, Dearborn, Michigan, June 2016.

Auto PSD Cards. Include **NASPD** cards of this format, one per excitation.

Card 5a	1	2	3	4	5	6	7	8
Variable	SID	STYPE	DOF	LDPSD	LDVEL	LDFLW	LDSPN	CID
Type	I	I	I	I	I	I	I	I
Default					0	0	0	0

Cross PSD Card. Include **NCPSD** cards of this format, one per excitation.

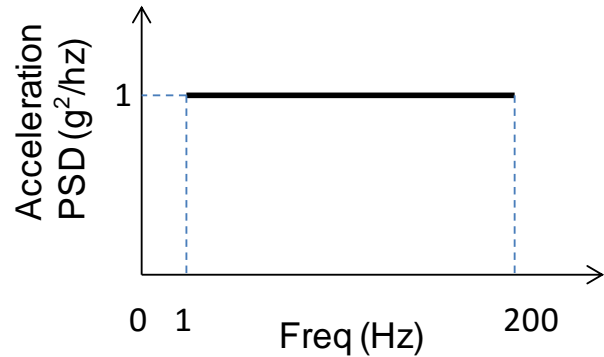
Card 5b	1	2	3	4	5	6	7	8
Variable	LOAD_I	LOAD_J	LCTYP2	LDPSD1	LDPSD2			
Type	I	I	I	I	I			
Default			0					



Mathematical analogy

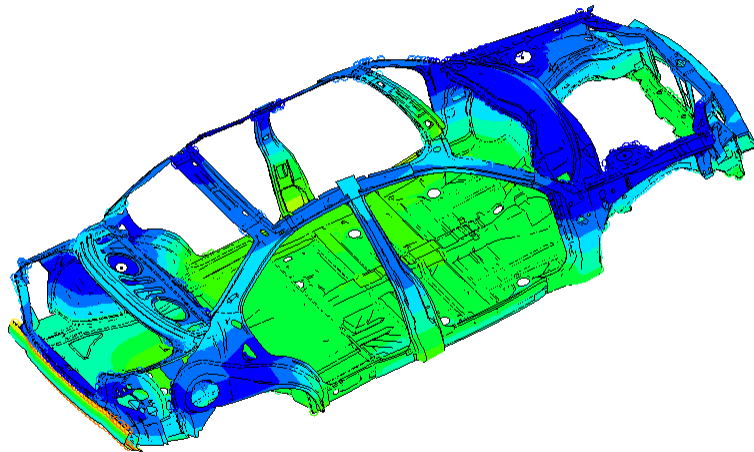
$$(x + y)^2 = x^2 + y^2 + 2xy$$

Random vibration analysis on a BIW model

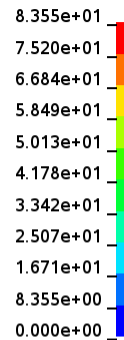


Random vibration analysis for the BIW model under base acceleration PSD excitation. The acceleration is specified in x-direction. The PSD curve is given as white noise ($1 \text{ g}^2/\text{Hz}$) for the range of 1-200 Hz as follows.

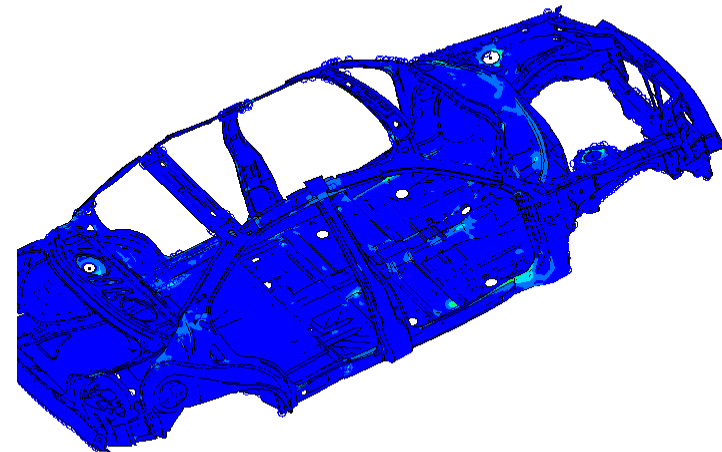
RMS value of u_x



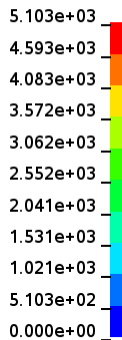
Fringe Levels



RMS value of σ_{V-M}

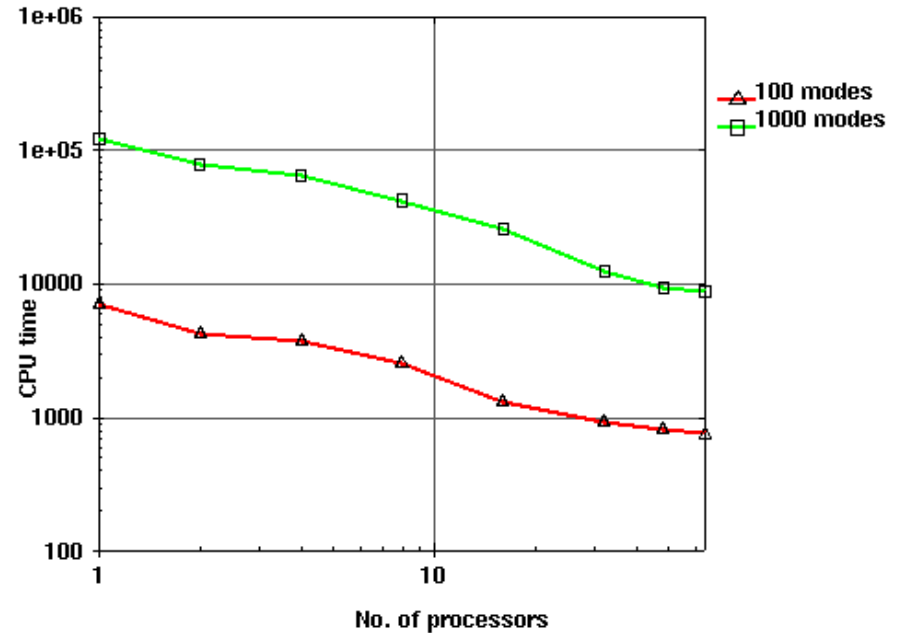
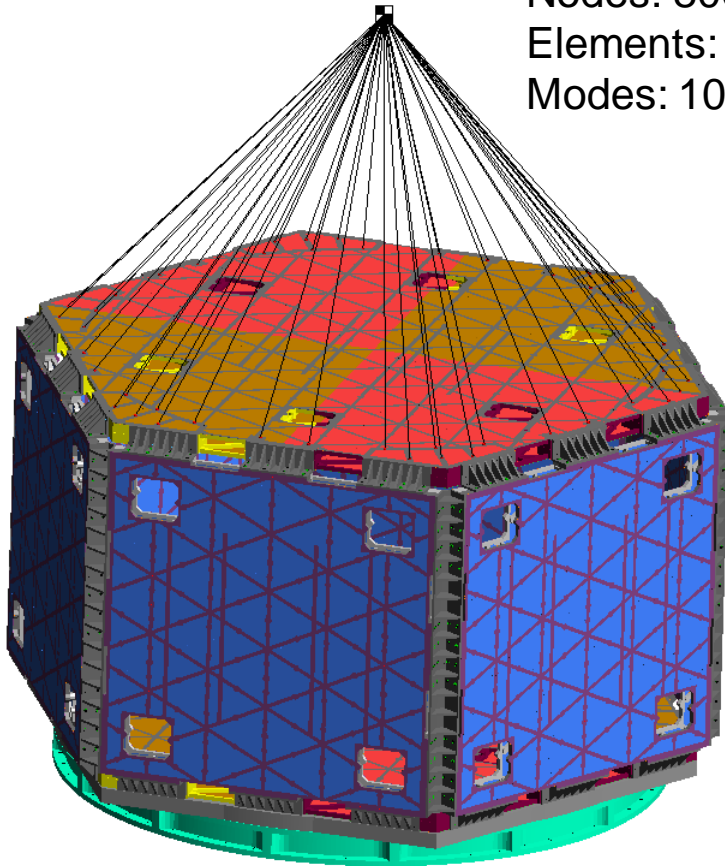


Fringe Levels



Random vibration analysis with MPP

Nodes: 800k
Elements: 660k
Modes: 1000



“Broad-Spectrum Stress and Vibration Analysis of Large Composite Container”, Adrian Jensen, George Laird ([Predictive Engineering, Inc.](#)), Adrian Tayne ([ECS Case, Becklin Holdings, Inc.](#)), 14th International LS-DYNA Users Conference, Dearborn, Michigan, June 2016.

Model courtesy of Predictive Engineering

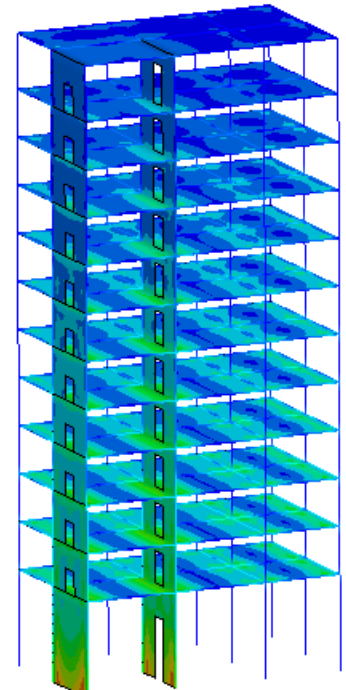
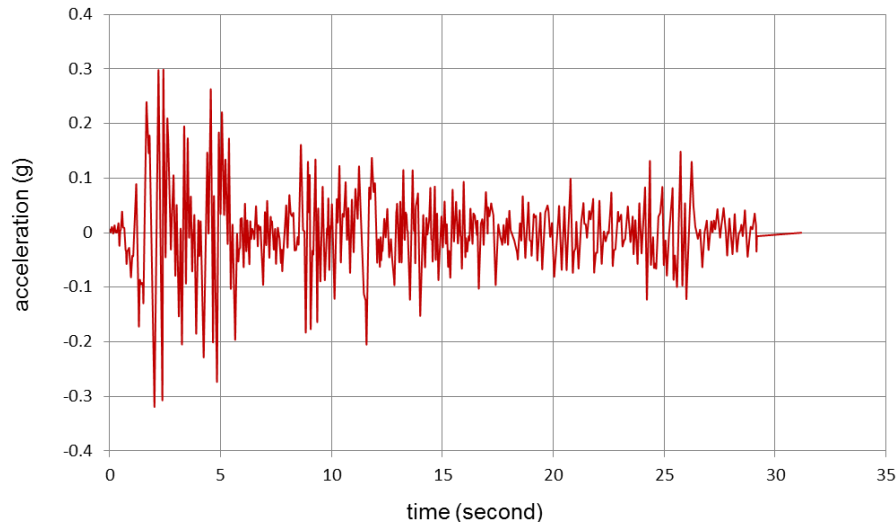
Rafael, Israel: Shor, O., Lev, Y., and Huang, Y., "*Simulation of a Thin Walled Aluminum Tube Subjected to Base Acceleration Using LS-DYNA's Vibro-Acoustic Solver*", 11th International LS-DYNA Users Conference, Dearborn, Michigan, June, 2010.

The Boeing Company: Rassaian M., Arakawa T., Huang Y., "*Structural analysis with vibro-acoustic loads*", 2012 Aircraft Airworthiness & Sustainment Conference (AA&S 2012), Baltimore, Maryland, April 2012.

GIGABYTE : Dongke Lu, "*Vibration fatigue analysis of computer servers*", the 2nd China LS-DYNA Users Conference, Shanghai, China, November, 2015.

2.4) Response spectrum analysis

- ❑ Use various mode combination methods to evaluate peak response of structure due to input spectrum.
- ❑ The input spectrum is the peak response (acceleration, velocity or displacement) of single dof system with different natural frequencies.
- ❑ Multiple curves to define the series of excitation spectrum corresponding to different damping ratio.
- ❑ It is an approximate method, but fast and effective.



Mode combination

- SRSS method
- NRC Grouping method
- CQC method
- Double Sum methods
 - ✓ Rosenblueth-Elorduy coefficient
 - ✓ Gupta-Cordero coefficient
 - ✓ Modified Gupta-Cordero coefficient
- NRL SUM method
- Rosenblueth method

Input spectrum

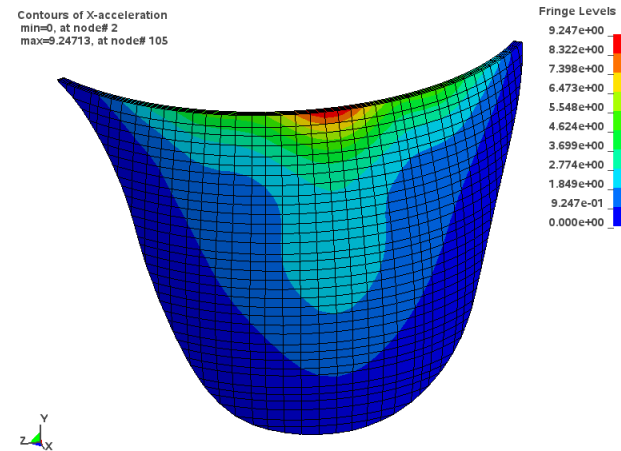
- Base velocity
- Base acceleration
- Base displacement
- Nodal force
- Pressure

Applications

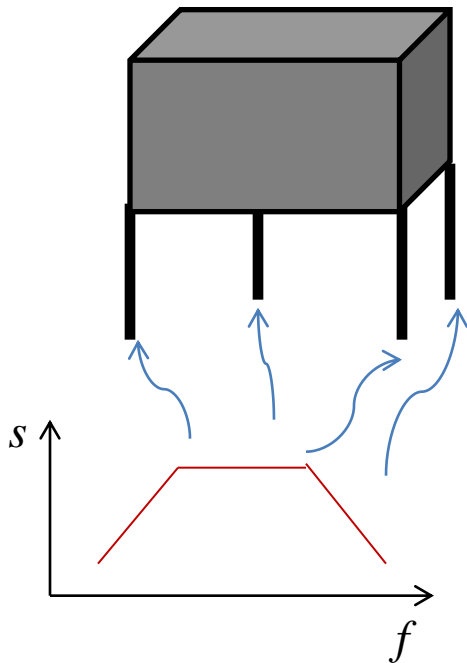
- Civil / Hydraulic buildings
 - ✓ Dams
 - ✓ Bridges
 - ✓ High buildings
- Nuclear power plants



El Atazar Dam



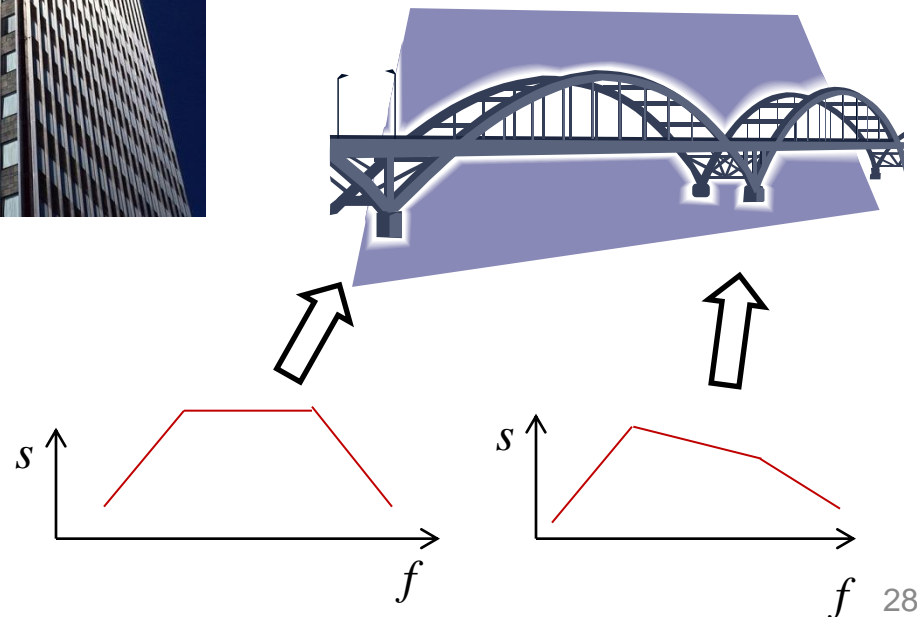
Multi-point response spectrum analysis



s = spectral value
 f = frequency



A SRSS method is used to combine the responses for each of the input spectra.



Option: DDAM

DDAM (Dynamic Design Analysis Method)

- US Navy-developed analytical procedure
- It evaluates the design of equipment subject to dynamic loading caused by **underwater explosions** (UNDEX).
- The analysis uses a form of **shock spectrum analysis** that estimates the dynamic response of a component to shock loading caused by the sudden movement of a naval vessel.
- The analytical process simulates the **interaction** between the shock-loaded component and its fixed structure.
- It is a **standard** naval engineering procedure for shipboard structural dynamics.



All mission-essential equipment on board Naval ships and submarines must be qualified for shock loads caused by underwater explosions (UNDEX)

Shock Design Values *Material type*

- NRL-1396
- User defined
- Elastic
- Elasto-plastic

Ship type

- Submarine
- Surface ship
- Vertical
- Athwartship
- Fore and Aft



Mounting type

- Hull mounted
- Deck mounted
- Shell Plating mounted
- *Mode combination*
- NRL Sum
- NRL Sum with CSM

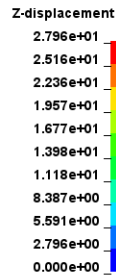
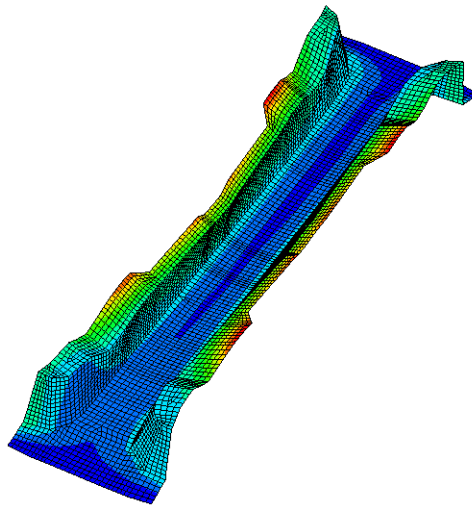


"NAVSEA 0908-LP-000-3010 (Revision 1), Shock Design Criteria for Surface Ships". Naval Sea Systems Command. September 1995.

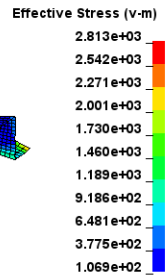
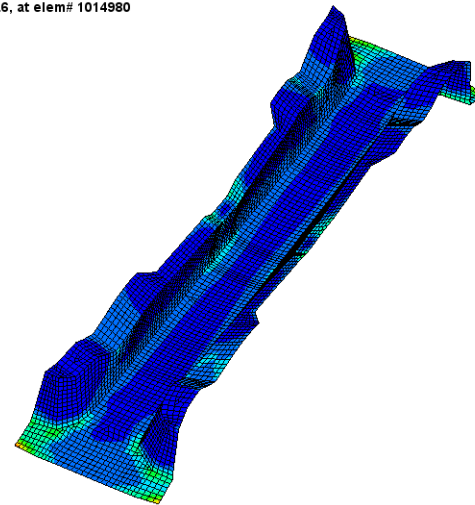

```

*FREQUENCY_DOMAIN_RESPONSE_SPECTRUM_DDAM
$#  mdmin      mdmax      fnmin      fnmax      restrt      mcomb      relatv
      1         20         0.         5000.
$#  dampf      lcdamp      ldtyp      dmpmas      dmpstf
      .01
$#  std        unit      amin      vid      xc      yc      zc
      1         3         6         1
$#  shptyp     mount     movmt     mattyp
      1         1         1         1
*DATABASE_FREQUENCY_BINARY_D3SPCM
$#  binary
      1
  
```

Contours of Z-displacement
min=0, at node# 235020
max=27.9558, at node# 1043706



Contours of Effective Stress (v-m)
max IP. value
min=106.917, at elem# 239440
max=2812.6, at elem# 1014980



2.5) Modal transient analysis

*CONTROL_IMPLICIT_MODAL_DYNAMIC

*CONTROL_IMPLICIT_MODAL_DYNAMIC_DAMPING

*CONTROL_IMPLICIT_MODAL_DYNAMIC_MODE

$$\mathbf{m}\ddot{\mathbf{u}} + \mathbf{c}\dot{\mathbf{u}} + \mathbf{k}\mathbf{u} = \mathbf{p}(t)$$

$$\mathbf{u} = \sum_{n=1}^N \phi_n q_n(t) = \Phi \mathbf{q}$$

$$\Phi^T \mathbf{m} \Phi \ddot{\mathbf{q}} + \Phi^T \mathbf{c} \Phi \dot{\mathbf{q}} + \Phi^T \mathbf{k} \Phi \mathbf{q} = \Phi^T \mathbf{p}(t)$$

Significant improvement on the performance, by David Benson, in responding to request from Tesla Motors.

3) ACOUSTIC SOLVERS

3.1) Introduction

3.2) BEM acoustic solver

3.3) FEM acoustic solver

3.4) SEA for high frequency acoustics

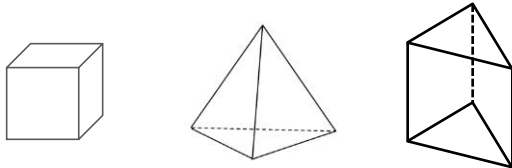
3.1) Introduction

Time domain acoustic solver in LS-DYNA

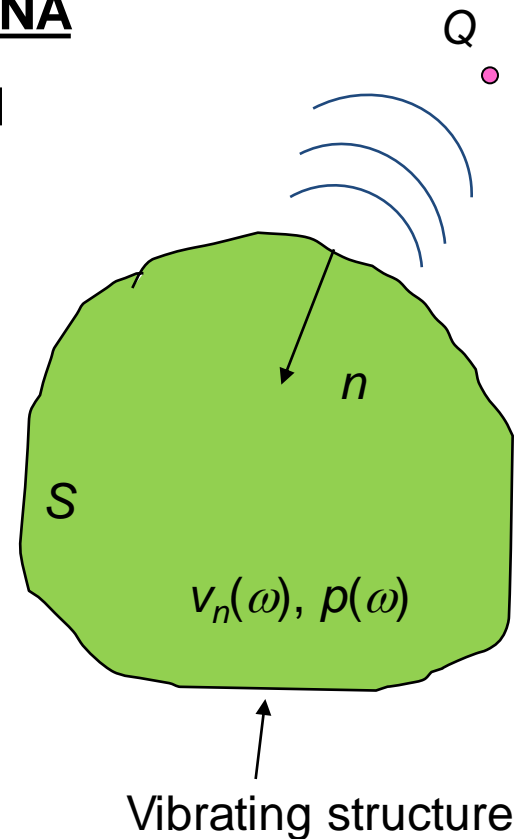
- ✓ MAT_ACOUSTIC with solid element 8 or 14

Frequency domain acoustic solver in LS-DYNA

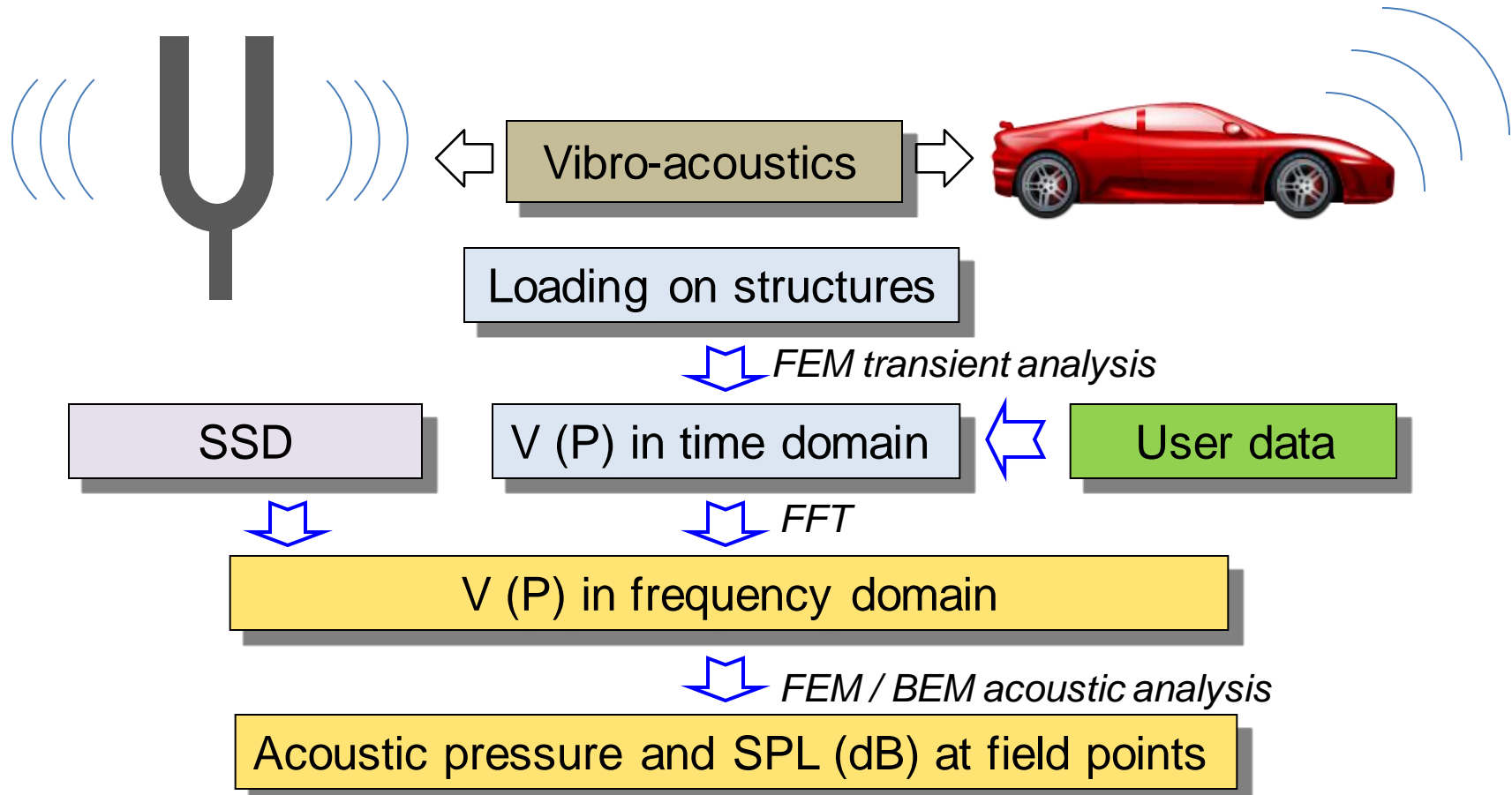
- ✓ FREQUENCY_DOMAIN_ACOUSTIC_BEM
 - Rayleigh method
 - Kirchhoff method
 - Collocation BEM
 - Variational indirect BEM
- ✓ FREQUENCY_DOMAIN_ACOUSTIC_FEM
 - Hexahedron
 - Tetrahedron
 - Pentahedron



- ✓ SEA (*ongoing development*)



Vibro-acoustic analysis



National Taipei University of Technology, Taiwan: Guo-Ding Huang, Hsiu-Ying Hwang, Xijun Wang, "Vibration Testing and Analysis for a Midsize Electric Bus", Proceedings of the 19th National Conference on Vehicle Engineering, Nov. 14, 2014, TIIT, Jhongli, Taiwan.

3.2) BEM acoustic solver

BEM (accurate)

- Indirect variational boundary element method
- Collocation boundary element method
 - Burton-Miller formulation
 - Sound power and radiation efficiency are computed

They used to be time consuming

A fast solver based on domain decomposition

MPP version

Approximate (simplified) methods

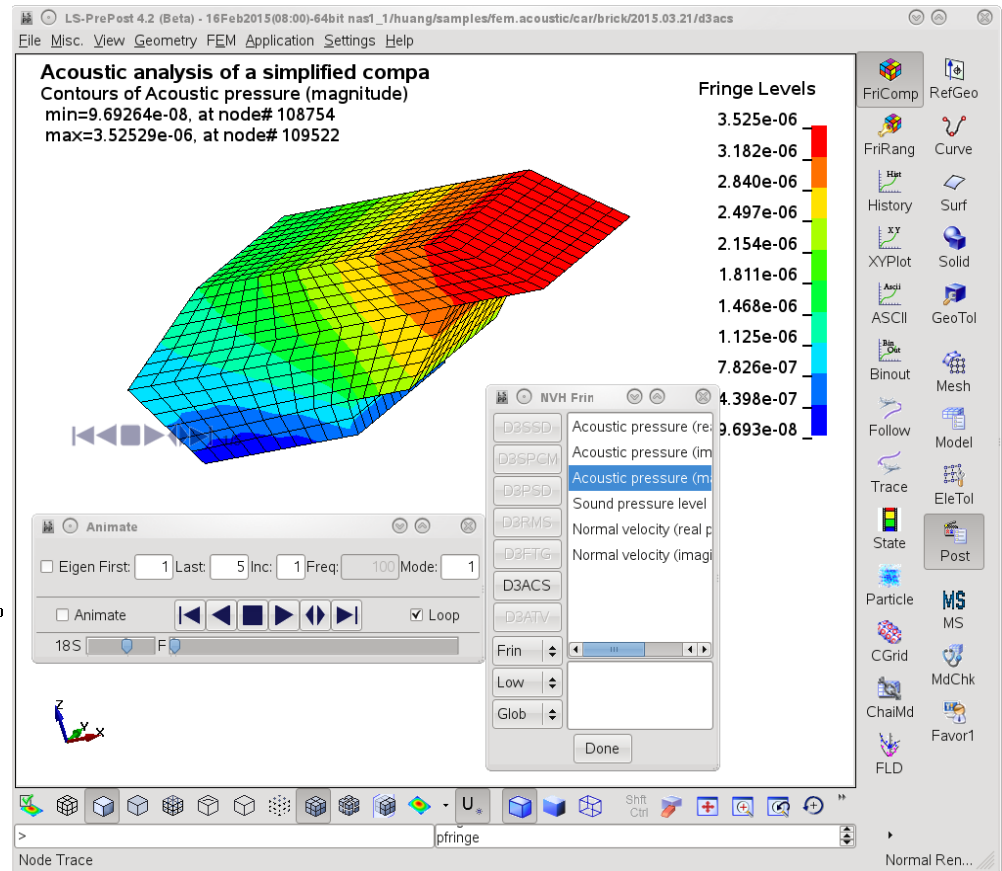
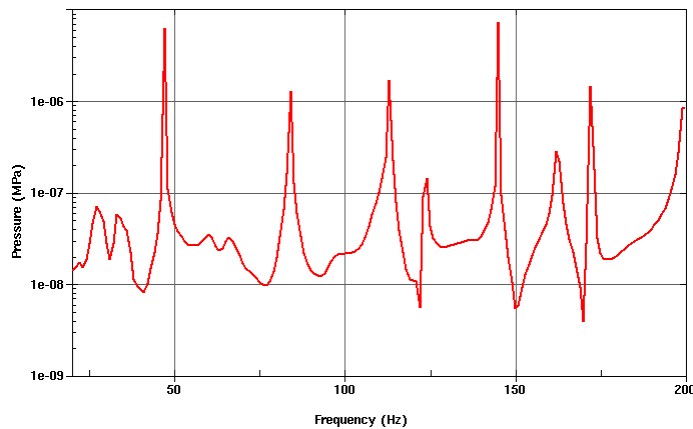
- Rayleigh method
- Kirchhoff method

Assumptions and simplification in formulation

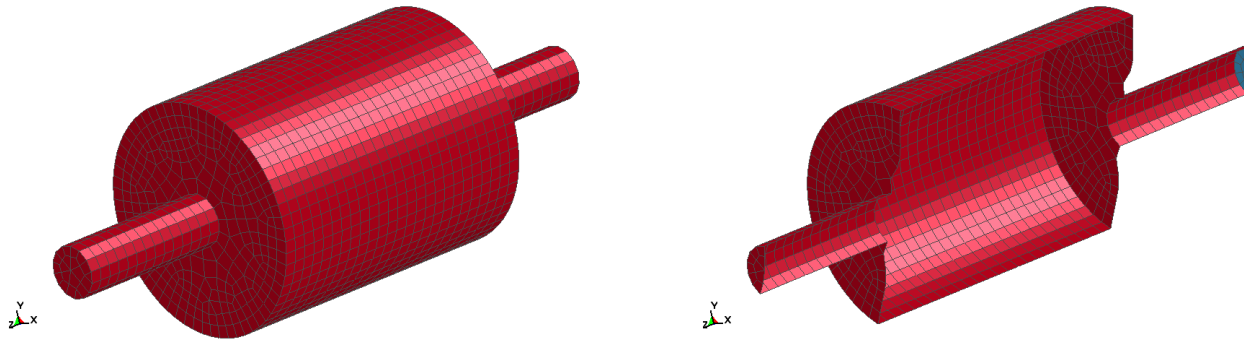
Very fast since no equation system to solve

Frequency domain acoustic results

- ✓ ASCII xyplot files
 - *panel_contribution_NID*
 - *Press_Pa*
 - *Press_dB*
 - *Bepres*
- ✓ Binary plot databases
 - *D3ACS*

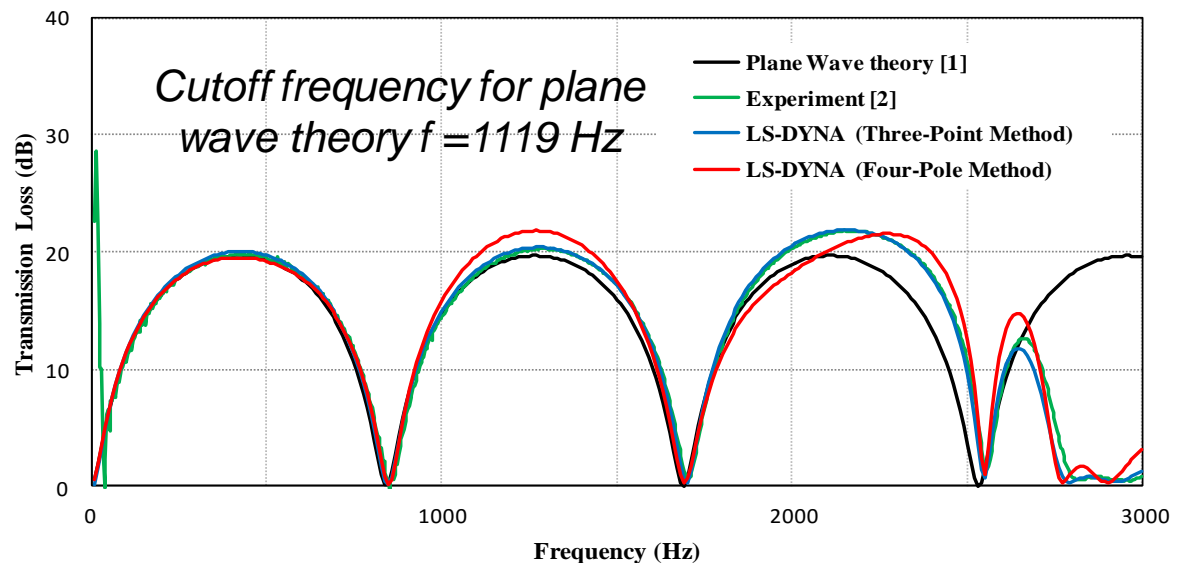


Muffler transmission loss analysis



TL is the difference in the SPL between the incident wave entering and the transmitted wave exiting the muffler when the muffler termination is anechoic (no reflection of sound).

$$TL = 10 \log_{10} \frac{W_i}{W_t}$$



Akrapovič d.d.: Marko Krebelj, “Transmission loss simulation of acoustic elements in LS-DYNA”, 9th European LS-DYNA Users’ Conference, Manchester, UK, June, 2013.

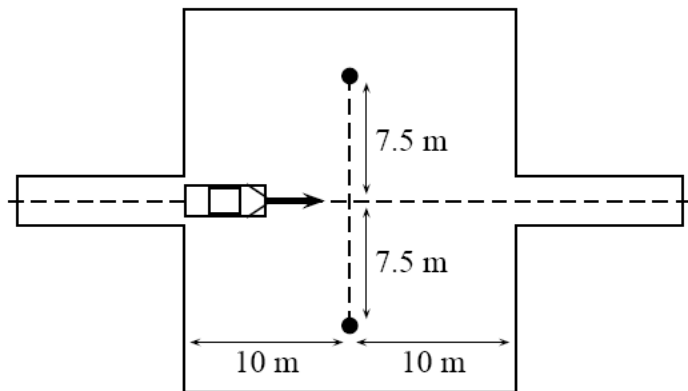
Tire noise

Tire noise is one of main sources in automotive noise, especially pass-by noise.

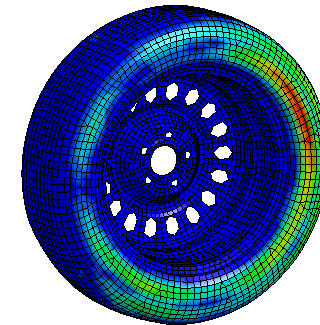
A numerical model of LS-DYNA for the prediction of tire noise radiation:

- *SSD describes the dynamic behavior of the tire*
- *BEM computes the amount of tire noise due to tire vibration*

The setup for a pass-by noise test from the ISO 362 Standard



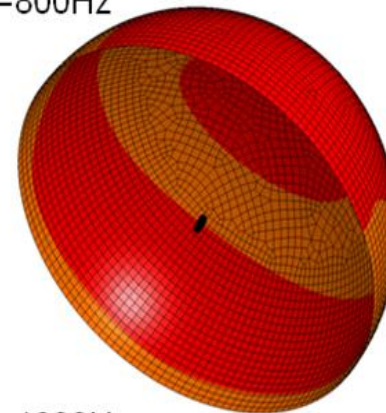
LS-DYNA keyword deck by LS-PrePost
Freq = 300
Contours of Y-velocity
min=0, at node# 2836603
max=42.1501, at node# 2837949



Fringe Levels
4.215e+01
3.794e+01
3.372e+01
2.951e+01
2.529e+01
2.108e+01
1.686e+01
1.265e+01
8.430e+00
4.215e+00
0.000e+00

↑
Unit force load

Freq = 800Hz



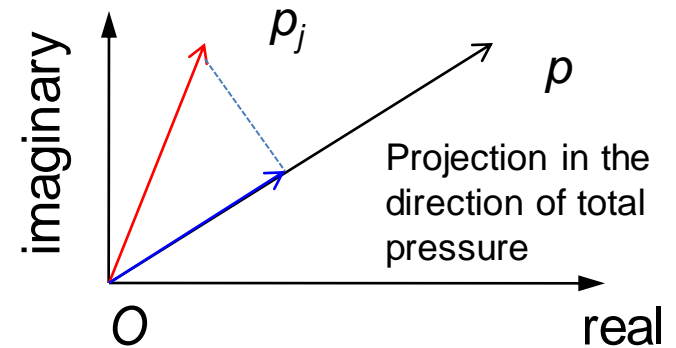
Fringe Levels
5.537e+01
4.983e+01
4.430e+01
3.876e+01
3.322e+01
2.768e+01
2.215e+01
1.661e+01
1.107e+01
5.537e+00
0.000e+00

Zhe Cui, Yun Huang, "Sound Radiation Analysis of a Tire with LS-DYNA", 13th International LS-DYNA Users Conference, Detroit, June, 2014.

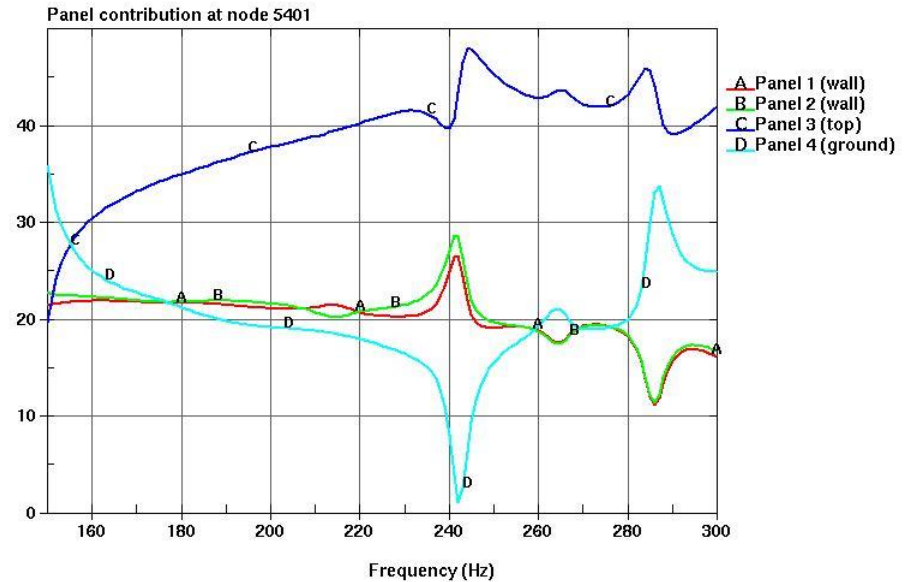
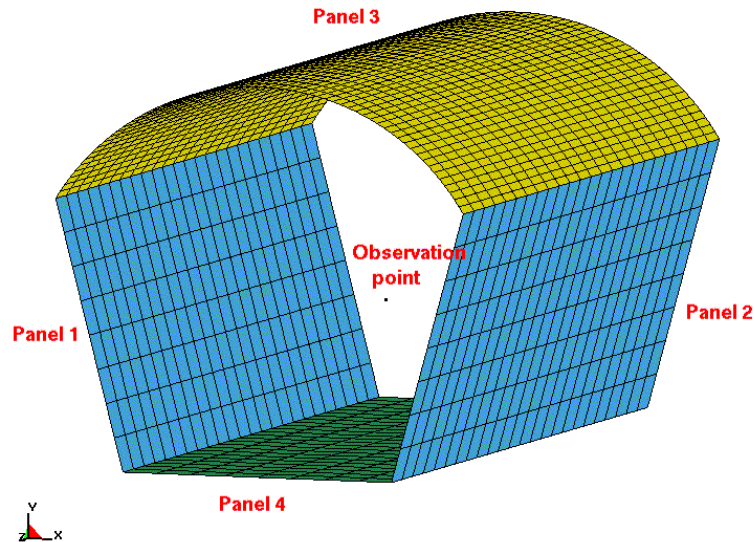
Acoustic panel contribution analysis

$$p(P) = \sum_{j=1}^N \int_{\Gamma_j} \left(G \frac{\partial p}{\partial n} - p \frac{\partial G}{\partial n} \right) d\Gamma_j$$

$$= \sum_{j=1}^N p_j(P)$$



A simplified tunnel model

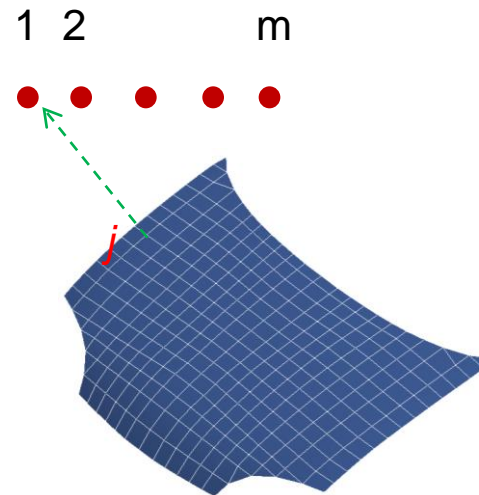


ATV and MATV to accelerate acoustic computation

- ❑ Acoustic Transfer Vector can be obtained by including the option **ATV** in the keyword.
- ❑ It calculates acoustic pressure (and sound pressure level) at field points due to **unit normal velocity** of each surface node.
- ❑ ATV is dependent on structure model, properties of acoustic fluid as well as location of field points.
- ❑ An important extension is **modal acoustic transfer vector**, which is based on excitation of the structure by modal shapes. Then the acoustic response for any frequency domain excitation can be obtained by superposition of a series of modal acoustic transfer vectors.

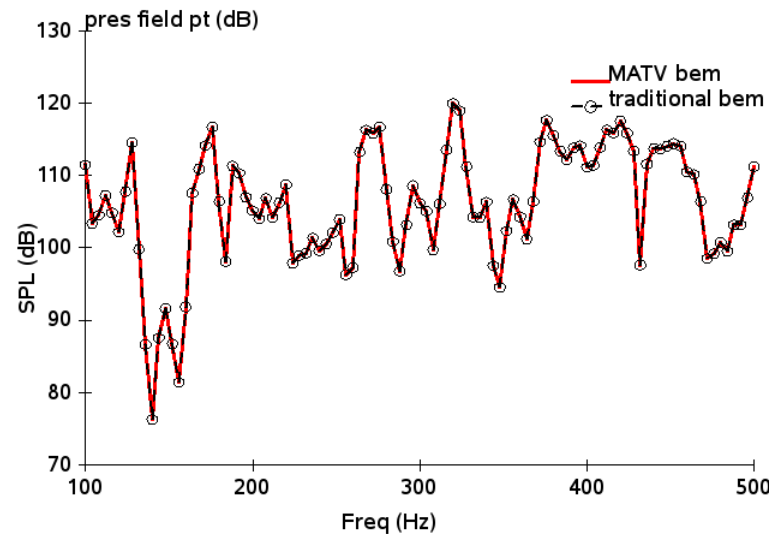
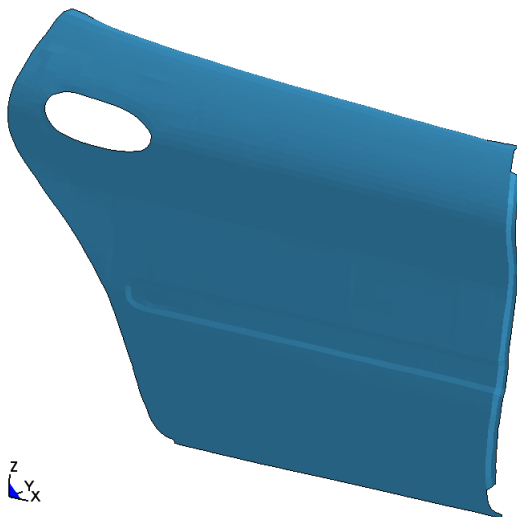
$$\{P\}_m = [ATV]_{m \times n} \{V\}_n$$

$$\{P\}_m = [MATV]_{m \times l} \{q\}_l$$



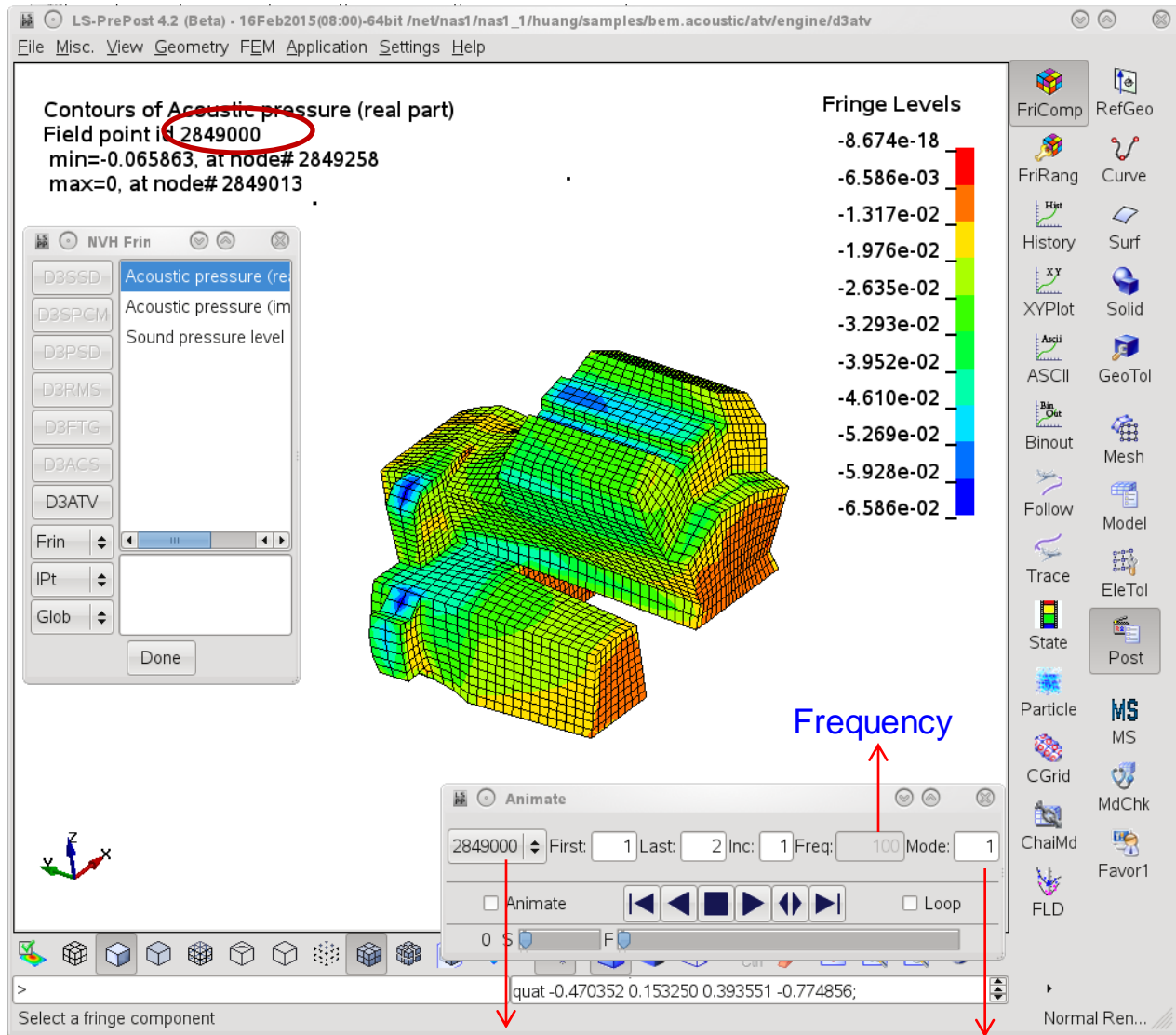
Example: using MATV for an auto door model

A simplified door model is used for MATV. It is fixed at the upper edge and the 4 holes near the lower edge. It is subjected to 10 loading cases. For each of the loading case, a nodal force spectrum is given at one node on the door.



Cases	traditional BEM	MATV BEM
1 loading case	2 h 39 m 50 s	4 h 40 m 56 s
10 loading cases	26 h 38 m 18 s	4 h 41 m 10 s

D3ATV



Field Point IDs

State Numbers

Incident acoustic wave

*FREQUENCY_DOMAIN_ACOUSTIC_INCIDENT_WAVE

Card 1	1	2	3	4	5	6	7	8
Variable	TYP	MAG	XC	YC	ZC			
Type	I	F	F	F	F			
Default	1	None	None	None	None			

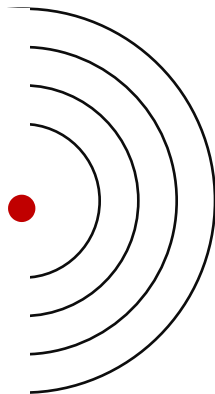
VARIABLE	DESCRIPTION
----------	-------------

MAG

Magnitude of the incident sound wave

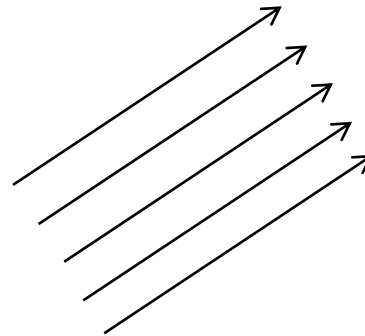
GT.0: constant magnitude,

LT.0: |MAG| is a curve ID, which defines the frequency dependent magnitude. See *DEFINE_CURVE.



Spherical wave

$$p^i = A \frac{e^{-ikR}}{R}$$



Plane wave

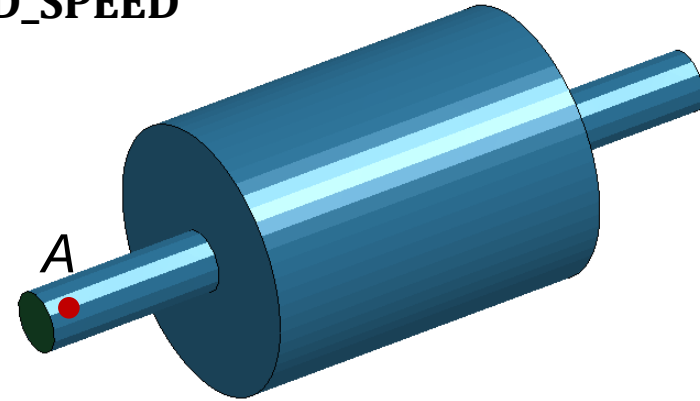
$$p^i = Ae^{-ik(\alpha x + \beta y + \gamma z)}$$

Complex sound speed

*FREQUENCY_DOMAIN_ACOUSTIC_SOUND_SPEED

Card 1	1	
Variable	ID	
Type	I	
Default	None	

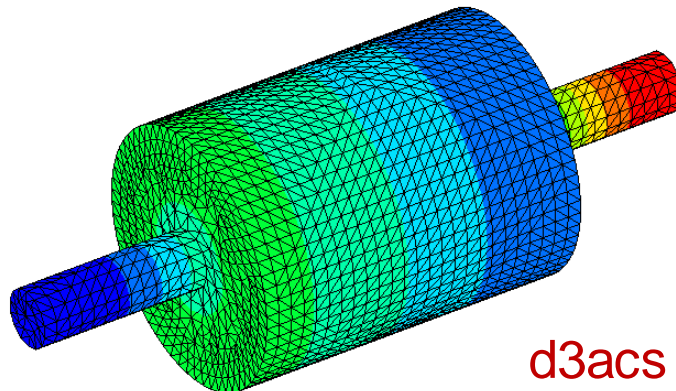
Card 2	1	2
Variable	LCID1	LCID2
Type	I	I
Default	None	None



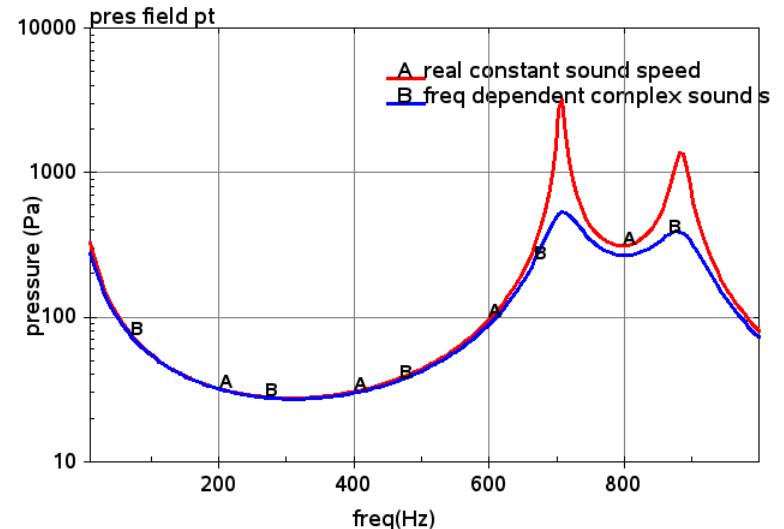
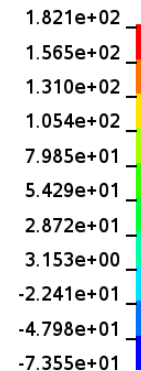
Due to the damping in the acoustic system, the acoustic pressure at field point A is reduced, comparing to the case without damping.

Muffler Transmission Loss

Freq = 1000
 Contours of Acoustic pressure (real part)
 min=-73.5456, at node# 4068
 max=182.116, at node# 14228



Fringe Levels



d3acs

Acoustic fringe plot

*FREQUENCY_DOMAIN_ACOUSTIC_FRINGE_PLOT_{OPTION}

Purpose:

Define field points for acoustic pressure computation and use D3ACS binary database to visualize the pressure distribution.

Options:

PART

*Existing structure
components*

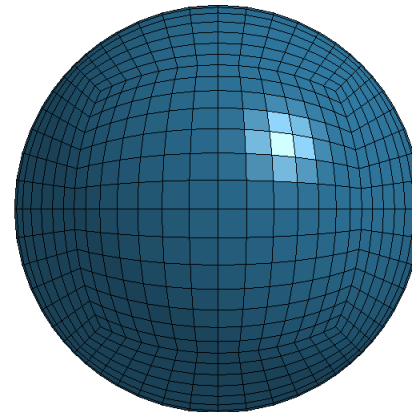
PART_SET

NODE_SET

SPHERE

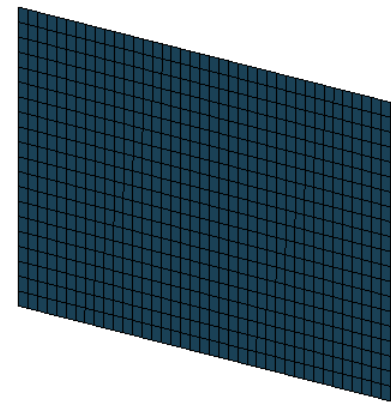
*LS-DYNA generates
mesh automatically*

PLATE



Results (D3ACS):

- Real part of acoustic pressure
- Imaginary part of acoustic pressure
- Absolute value of acoustic pressure
- Sound Pressure Level (dB)
- ✓ Supported by LS-PrePost 4.2 and above



*FREQUENCY_DOMAIN_ACOUSTIC_FRINGE_PLOT_{SPHERE}

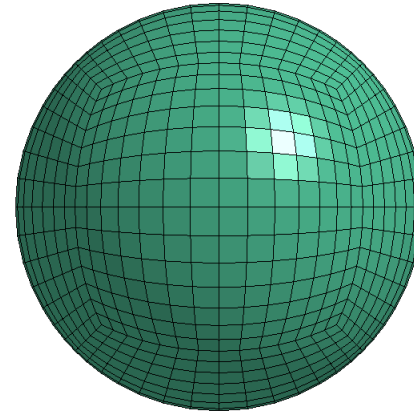
R = 5000 mm

DENSITY = 15

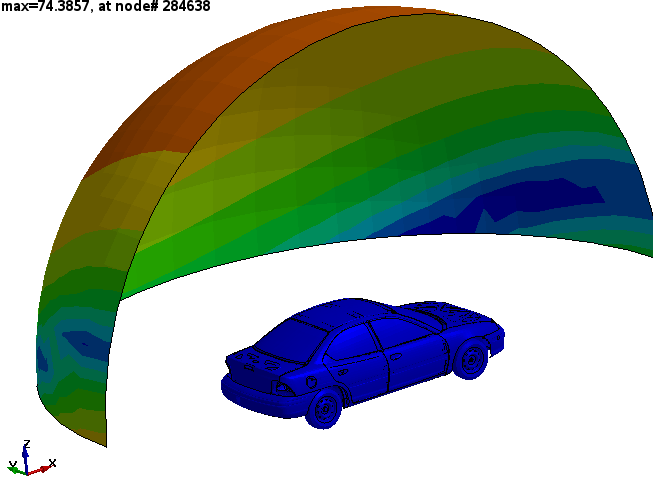
No. of new nodes: 1178

No. of new elements: 1176

Radiated noise from vehicle

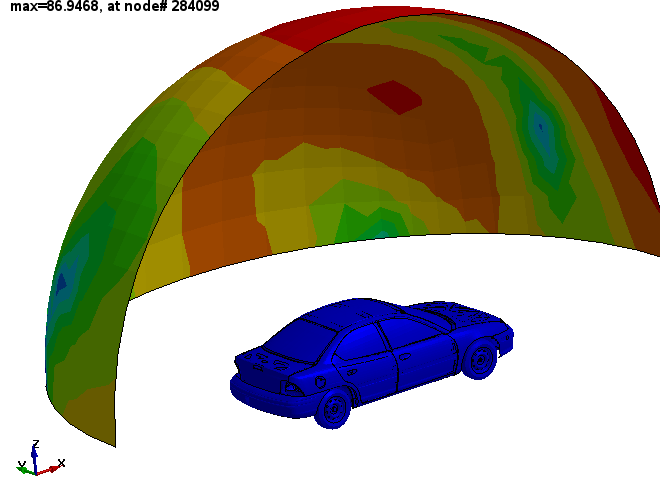


Freq = 10
Contours of Sound pressure level (dB)
min=0, at node# 2297002
max=74.3857, at node# 284638



Fringe Levels
7.439e+01
7.177e+01
6.915e+01
6.654e+01
6.392e+01
6.130e+01
5.869e+01
5.607e+01
5.345e+01
5.083e+01
4.822e+01

Freq = 140
Contours of Sound pressure level (dB)
min=0, at node# 2297002
max=86.9468, at node# 284099



Fringe Levels
8.695e+01
8.346e+01
7.998e+01
7.649e+01
7.301e+01
6.952e+01
6.604e+01
6.255e+01
5.907e+01
5.558e+01
5.210e+01

3.3) FEM acoustic solver



Background

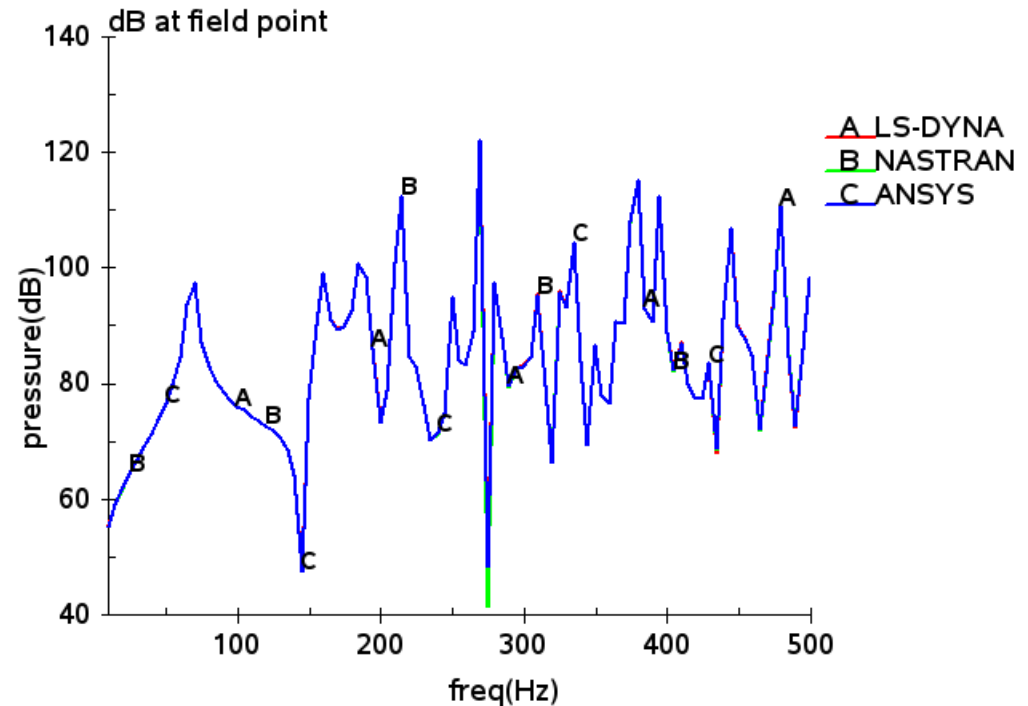
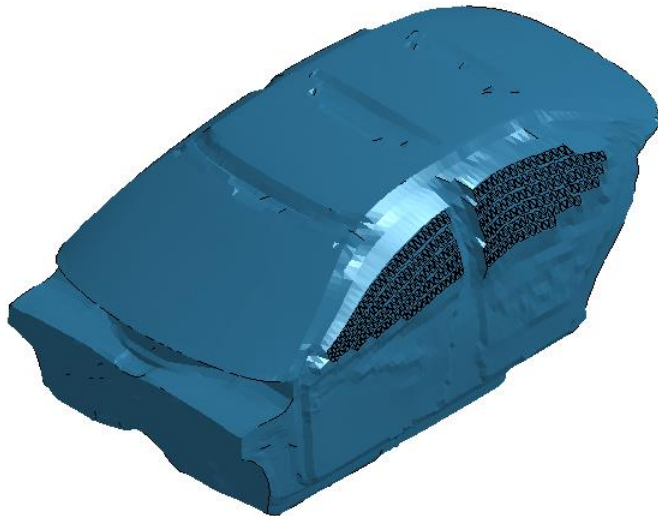
- 1) FEM acoustics is an alternative method for simulating acoustics. It helps predict and improve sound and noise performance of various systems. The FEM simulates the entire propagation volume -- being air or water.
- 2) Compute acoustic pressure and SPL (sound pressure level)
- 3) Output binary database: **d3acs** (accessible by LS-PREPOST)
- 4) Output ASCII database: **Press_Pa** and **Press_dB** as xyplot files
- 5) Output frequency range dependent on mesh size
- 6) Very fast since
 - ✓ One unknown per node
 - ✓ The majority of the matrix is unchanged for all frequencies
 - ✓ Using a fast sparse matrix iterative solver

Acoustic analysis on passenger compartment

Number of Nodes: 114221
Number of Tetra elements: 643619
Two loading cases:
1. Base excitation + open window
2. Base excitation + impedance

Loading case 1:

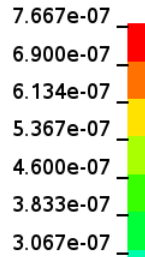
- Base excitation 4mm/s for 10-500 Hz.
- Open windows



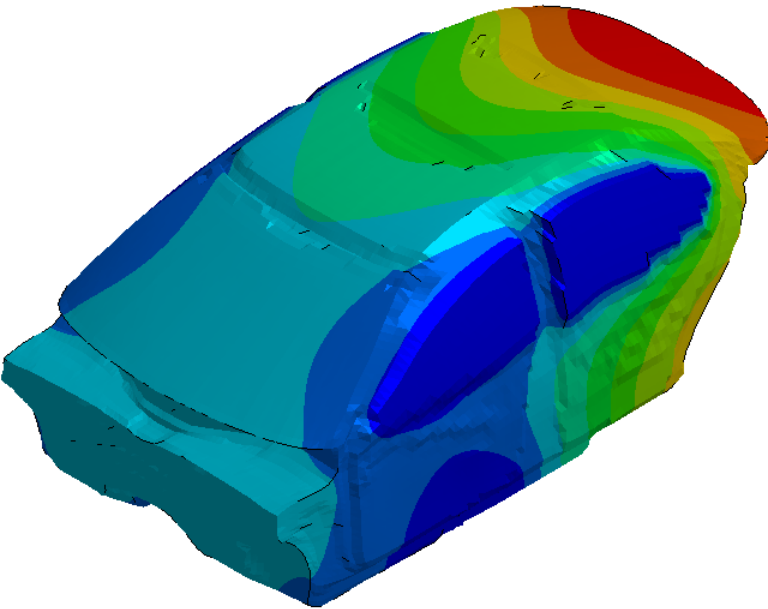
LS-DYNA keyword deck by LS-PrePost

Freq = 100
Contours of Acoustic pressure (magnitude)
 min=0, at node# 6198
 max=7.66694e-07, at node# 31

Fringe Levels



d3acs for loading case 1

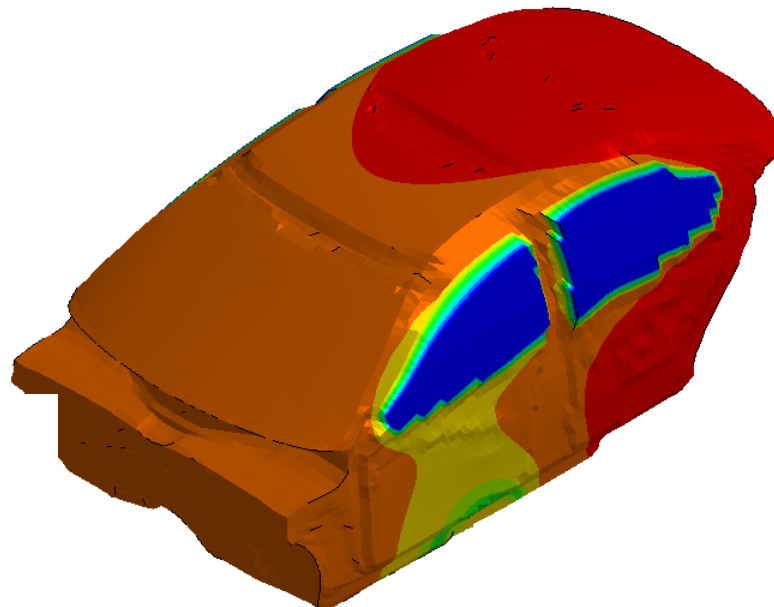
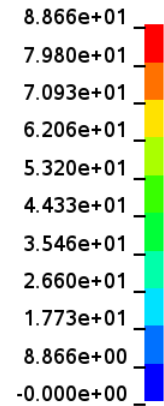


Frequency 100 Hz

LS-DYNA keyword deck by LS-PrePost

Freq = 100
Contours of Sound pressure level (dB)
 min=-0, at node# 6198
 max=88.6615, at node# 31

Fringe Levels

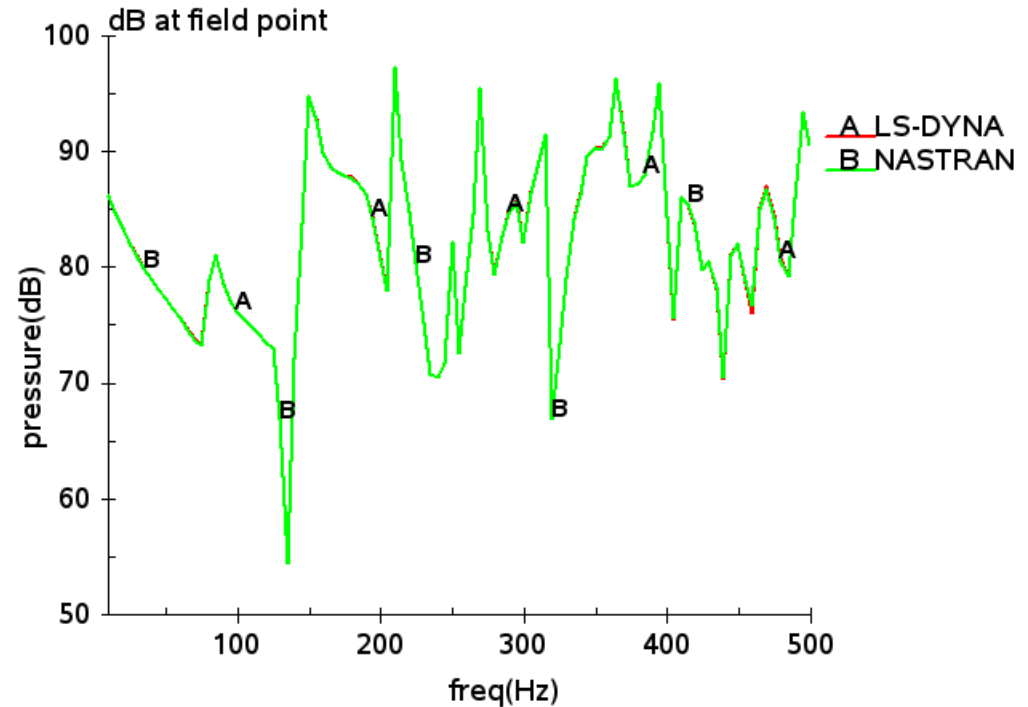
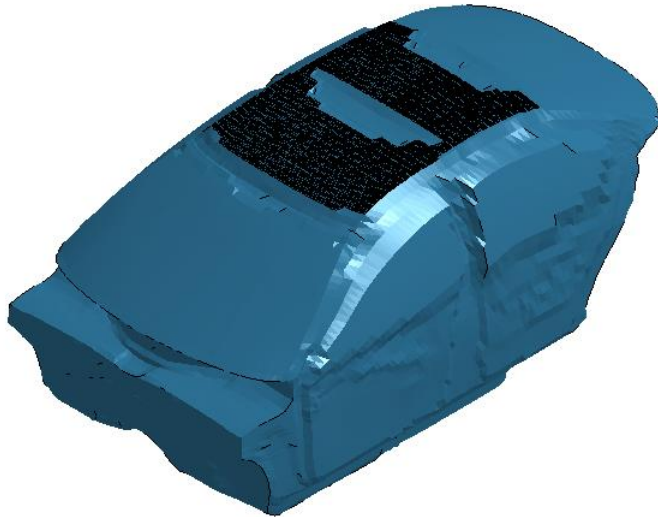


Loading case 2:

- Base excitation 4mm/s for 10-500 Hz.
- Impedance b.c. on the top (to model the sound absorbing material)

characteristic impedance

$$p / v_n = \rho c$$



LS-DYNA keyword deck by LS-PrePost

Freq = 300

Contours of Acoustic pressure (magnitude)

min=0, at node# 6198

max=2.34237e-06, at node# 3650

Fringe Levels

2.342e-06

2.108e-06

1.874e-06

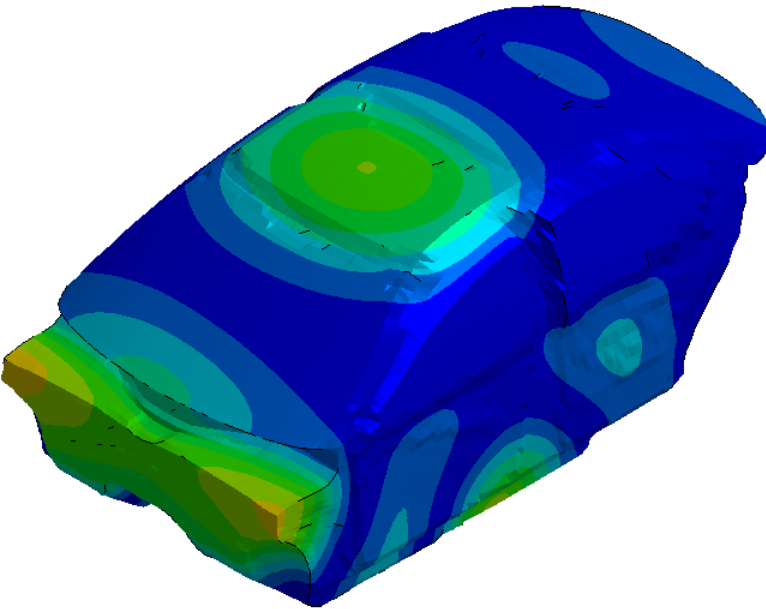
1.640e-06

1.405e-06

1.171e-06

9.369e-07

d3acs for loading
case 2



LS-DYNA keyword deck by LS-PrePost

Freq = 300

Contours of Sound pressure level (dB)

min=-17.0566, at node# 2936

max=98.3622, at node# 3650

Fringe Levels

9.836e+01

8.682e+01

7.528e+01

6.374e+01

5.219e+01

4.065e+01

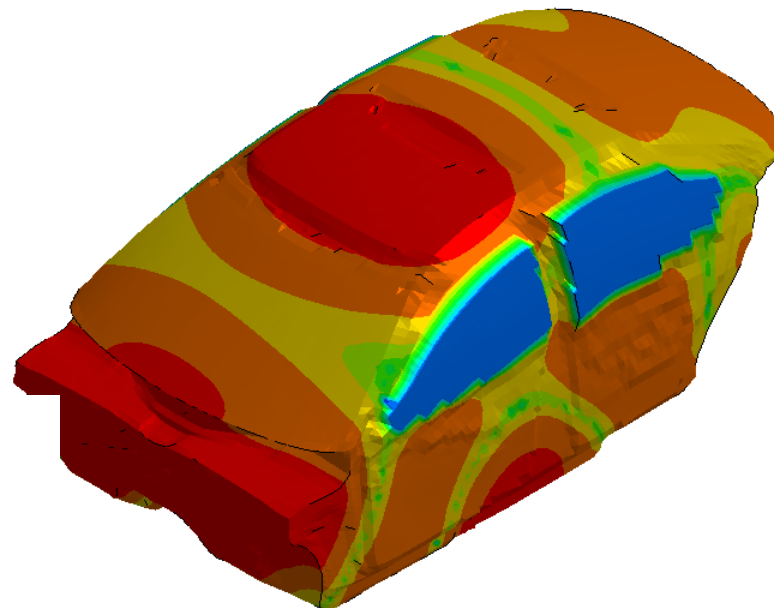
2.911e+01

1.757e+01

6.027e+00

-5.515e+00

-1.706e+01



Frequency 300 Hz



Acoustic Eigenvalue Analysis

*FREQUENCY_DOMAIN_ACOUSTIC_FEM
_EIGENVALUE

$$([K_a] + j\omega[C_a] - \omega^2[M_a])\{p_i\} = \{F_a\}$$

$$[K_a]\{\phi_i\} = \omega_i^2[M_a]\{\phi_i\} \quad i = 1, \dots, N_a$$

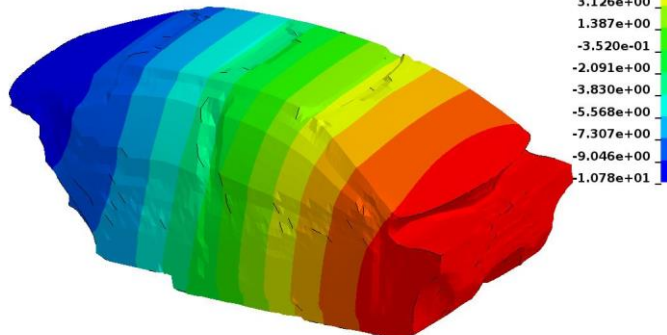
New databases:

- EIGOUT_AC
- D3EIGV_AC

A closed compartment model

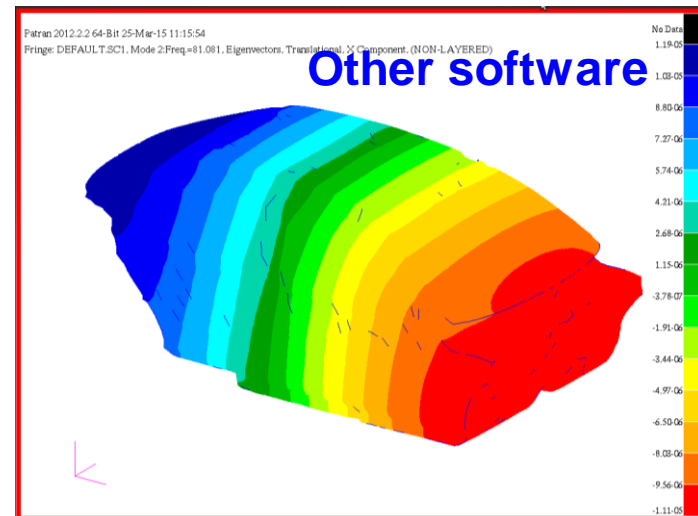
LS-DYNA keyword deck by LS-PrePost
Freq = 81.081
Contours of X-velocity
min=-10.7847, at node# 31
max=10.0807, at node# 7952

LS-DYNA

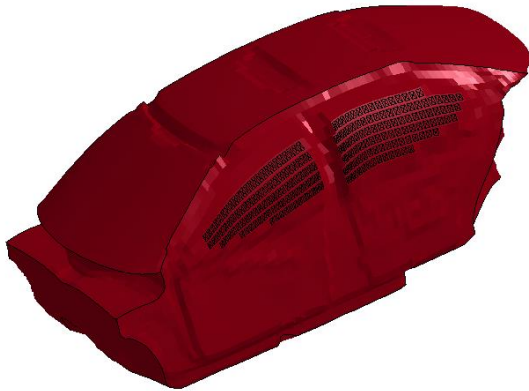


Eigenvector for the 2nd mode

Mode	LS-DYNA	Other software
1	3.93144E-06	6.698696E-06
2	8.10808E+01	8.108078E+01
3	1.25457E+02	1.254568E+02
4	1.47780E+02	1.477799E+02
5	1.52190E+02	1.521901E+02
6	1.72872E+02	1.728723E+02
7	1.98448E+02	1.984481E+02
8	2.08590E+02	2.085895E+02
9	2.14581E+02	2.145808E+02
10	2.23230E+02	2.232297E+02

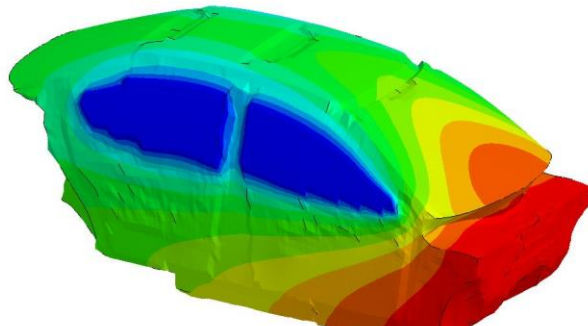


A compartment model with auto compartment windows open



LS-DYNA keyword deck by LS-PrePost
 Freq = 67.955
 Contours of X-velocity
 min=0, at node# 6198
 max=9.83397, at node# 15903

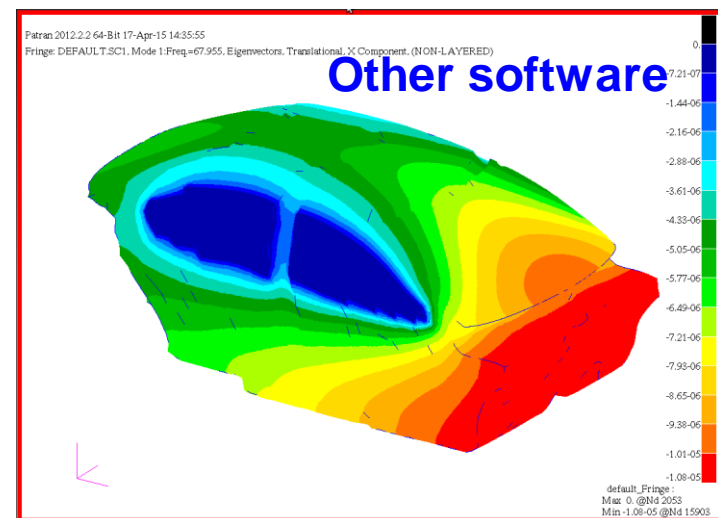
LS-DYNA



Eigenvector for the 1st mode

Mode	LS-DYNA	Other software
1	6.79551E+01	6.795506E+01
2	1.03346E+02	1.033460E+02
3	1.47853E+02	1.478530E+02
4	1.58211E+02	1.582106E+02
5	1.74781E+02	1.747807E+02
6	1.87460E+02	1.874595E+02
7	2.10906E+02	2.109057E+02
8	2.14993E+02	2.149934E+02
9	2.28861E+02	2.288609E+02
10	2.50667E+02	2.506669E+02

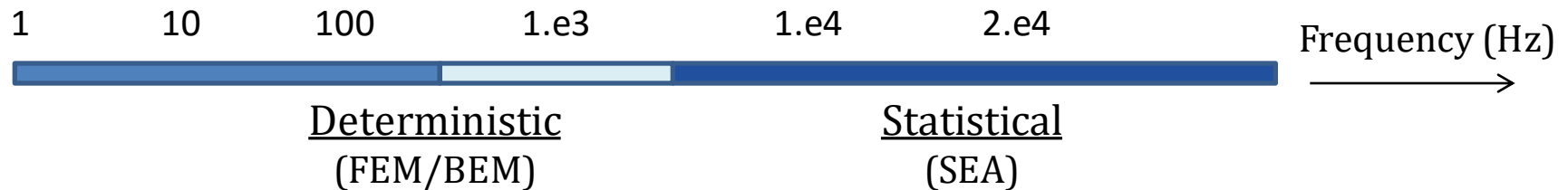
Fringe Levels
 9.834e+00
 9.014e+00
 8.195e+00
 7.375e+00
 6.556e+00
 5.736e+00
 4.917e+00
 4.097e+00
 3.278e+00
 2.458e+00
 1.639e+00
 8.195e-01
 0.000e+00



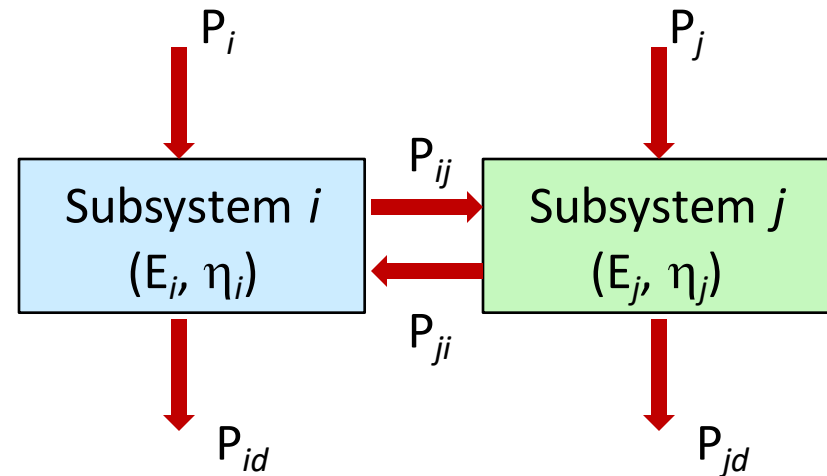
3.4) SEA (Statistical Energy Analysis)



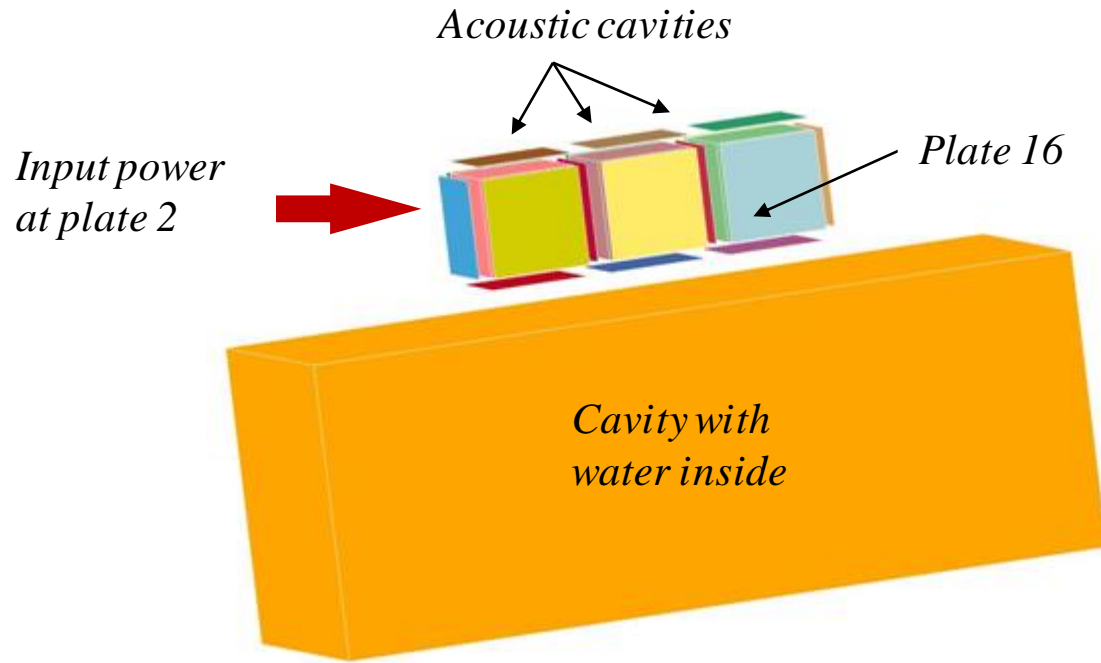
- ***FREQUENCY_DOMAIN_SEA_SUBSYSTEM**
- ***FREQUENCY_DOMAIN_SEA_CONNECTION**
- ***FREQUENCY_DOMAIN_SEA_INPUT_POWER**



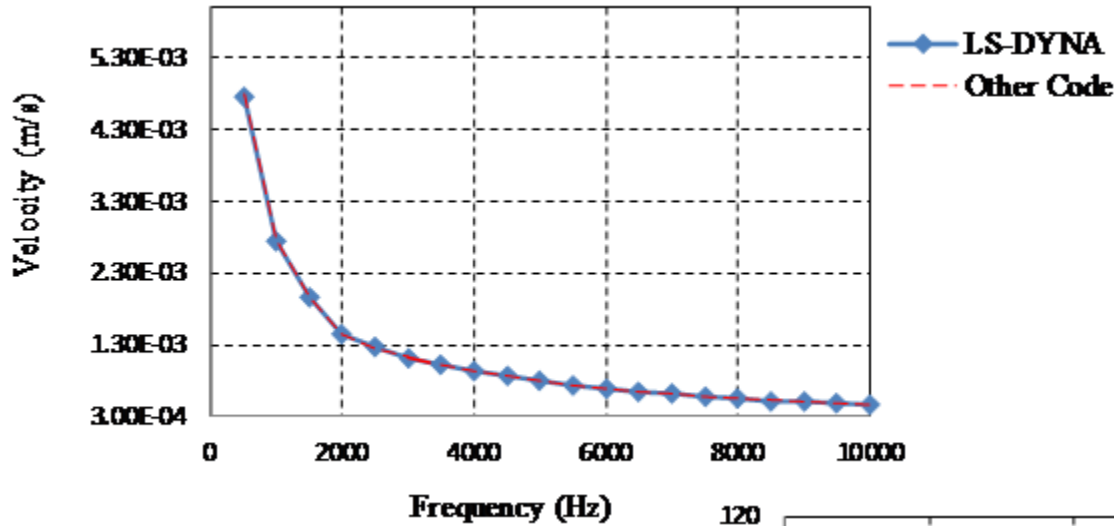
- SEA is a statistical method for studying vibration and acoustics in high frequency range, without using elements or mesh.
- In SEA a system is represented in terms of a number of coupled subsystems and a set of linear equations are derived that describe the input, storage, transmission and dissipation of energy within each subsystem.



SEA model of 2 subsystems

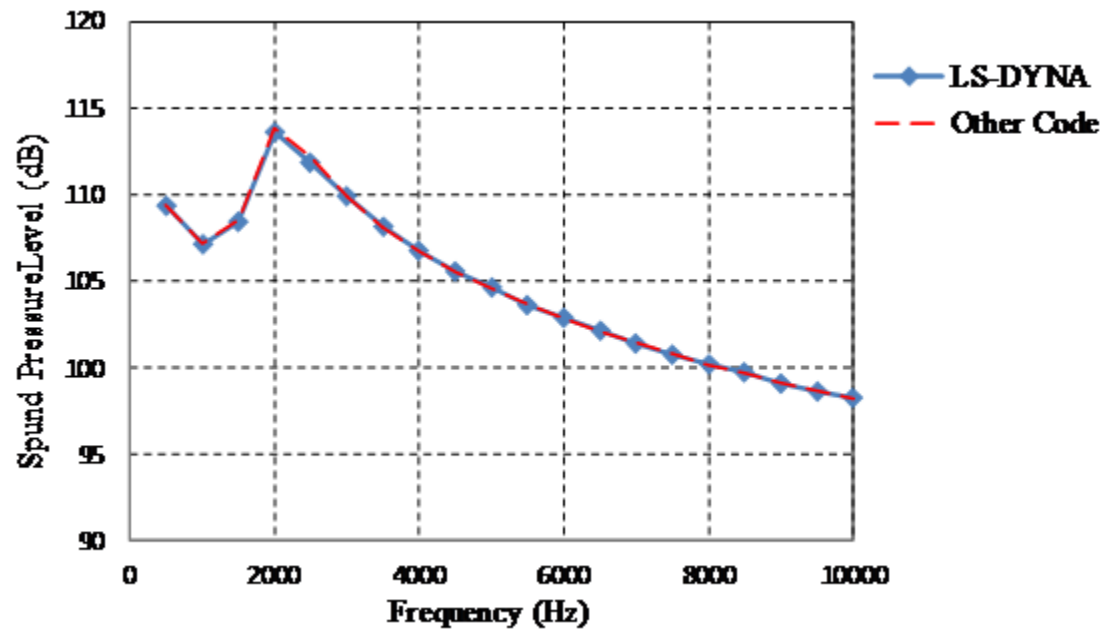


- 20 subsystems
- 16 steel plates
- 3 acoustic cavities (air)
- 1 acoustic cavity (water)



Velocity of plate 16

Sound pressure level of cavity with air (next to plate 2)



- **California Polytechnic State University:** Roger Sharpe, “*A prediction of the acoustic output of a golf driver head using finite elements*”, M.S. Thesis, 2010.
- **California Polytechnic State University:** Scott Moreira, “*Predicting the acoustic response of the golf club & ball impact using finite elements and the boundary element method*”, M.S. Thesis, 2011.
- **California Polytechnic State University:** Mase, T., Sharpe, R., Volkoff-Shoemaker, N., and Moreira, S., “*Modeling the Sound of a Golf Club Impact*”, Journal of Sports Engineering and Technology, Vol. 226, Issue 2, pp. 107-113, June, 2012.
- **Sheffield Hallam University:** Tom Allen, Jim Gough, David Koncan, David James, Eric Morales, Paul Wood, “*Modeling the acoustics of a golf ball impacting a titanium plate*”, Procedia Engineering, 72 (2014) 587-592.
- **Flotrend Corporation, Taiwan:** Leo Chen, “*Noise Analysis of AC devices by LS-DYNA*”, Flotrend technique note, 2014.
- **National Taipei University of Technology, Taiwan:** Hsiu-Ying Hwang, Guo-Ding Huang, Zong-Syun Jhang, “*Improvement of Noise and Vibration for a Midsize Electric Bus*”, Proceedings of the 31st National Congress of Chinese Mechanical Engineering Society, Taichung, Taiwan.

4) FATIGUE SOLVERS

4.1) Introduction

4.2) SN curve and EN curve

4.3) Frequency domain fatigue analysis

4.3.1) Fatigue analysis in random vibration

4.3.2) Fatigue analysis in SSD

4.4) Time domain fatigue analysis

4.4.1) Stress based approach

4.4.2) Strain based approach

4.5) Fatigue analysis database: d3ftg

4.1) Introduction

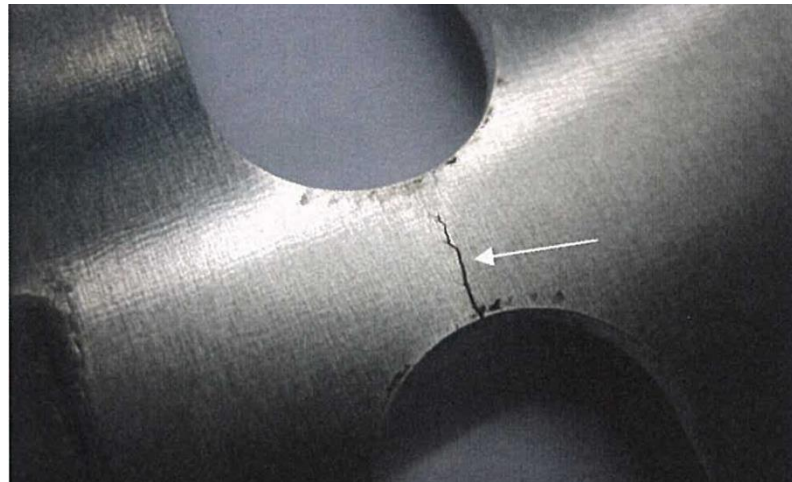
What is fatigue?

- ❑ Fatigue is a process in which damage accumulates due to the repetitive application of loads that may be well below the yield point.
- ❑ Fatigue is a complex process involving many steps but it can be broken down into initiation and propagation of fatigue cracks.
- ❑ It is estimated that fatigue failures are responsible for 90% of all metallic failures.
- ❑ For many years, fatigue has been a significant and challenging problem for engineers, especially for those who design structures such as aircrafts, railroad vehicles, automotives, bridges, pressure vessels, and cranes.



How to run fatigue analysis?

- ❑ Fatigue analysis can be performed in time domain and frequency domain.
- ❑ Two frequency domain approaches based on **random vibration theory and harmonic vibration (SSD) theory** have been implemented in LS-DYNA for fatigue and durability analysis.
- ❑ Recently we implemented time domain fatigue, including **one based on stress** and **the other based on strain** (further testing and validation needed)



4.2) S-N curve and E-N curve

S-N curve (high cycle, low stress)

*MAT_ADD_FATIGUE

Card 1	1	2	3	4	5	6	7	8
Variable	MID	LCID	LTYPE	A	B	STHRES	SNLIMT	SNTYPE
Type	I	I	I	F	F	F	I	I
Default	none	-1	0	0.0	0.0	none	0	0

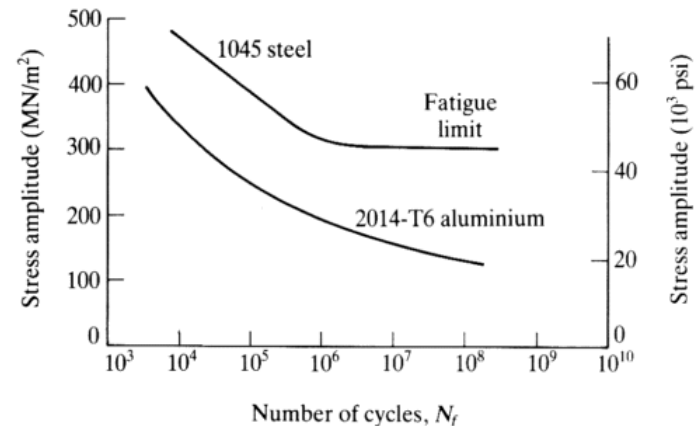
- By ***DEFINE_CURVE**
- By equation

$$N \cdot S^m = a$$

$$\log(S) = a - b \cdot \log(N)$$

N: number of cycles for fatigue failure

S: stress



Source of information: <http://www.efunda.com>

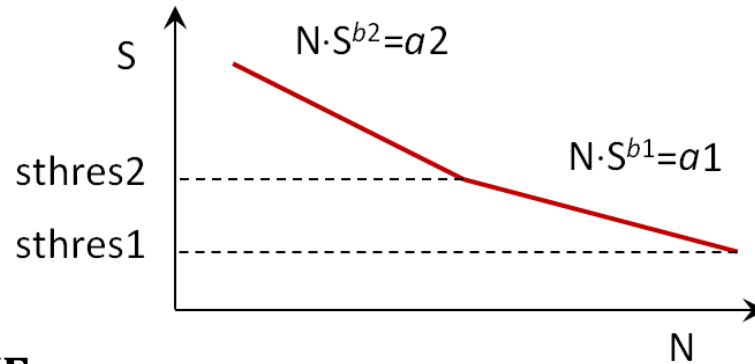
- Fatigue life of stress below fatigue threshold

SNLIMT *Fatigue life for stress lower than the lowest stress on S-N curve.*

EQ.0: use the life at the last point on S-N curve

EQ.1: extrapolation from the last two points on S-N curve

EQ.2: infinity.



*MAT_ADD_FATIGUE

Card 1	1	2	3	4	5	6	7	8
Variable	MID	LCID	LTYPE	A	B	STHRES	SNLIMT	SNTYPE
Type	I	I	I	F	F	F	I	I
Default	none		0	0.0	0.0	none	0	0

Card 2	1	2	3	4	5	6	7	8
Variable				A _i	B _i	STHRES _i		
Type				F	F	F		
Default				0.0	0.0	none		

To define S-N curve with multiple slopes, the S-N curve can be split into multiple segments and each segment is defined by a set of parameters A_i , B_i and $STHRES_i$. Up to 8 sets of the parameters (A_i , B_i and $STHRES_i$) can be defined. The lower limit of the i -th segment is represented by the threshold stress $STHRES_i$.

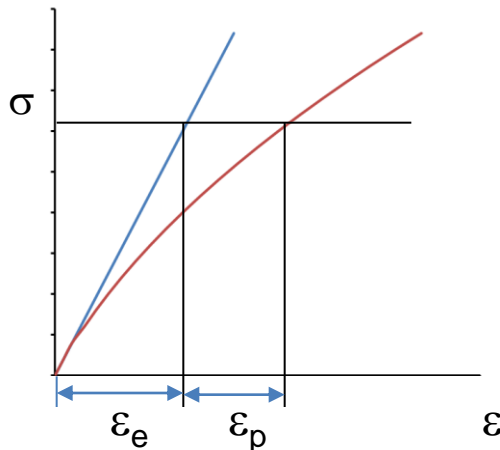
E-N curve (low cycle, high stress)

*MAT_ADD_FATIGUE_EN

Card 1	1	2	3	4	5	6	7	8
Variable	MID	KP	NP	SIGMAP	EPSP	B	C	
Type	I	F	F	F	F	F	F	
Default	none	none	none	none	none	none	none	

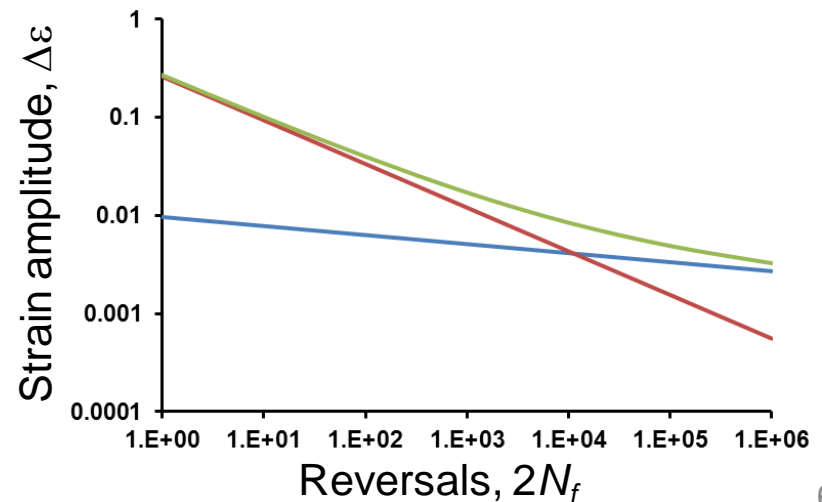
Cyclic stress strain curve

$$\varepsilon = \frac{\sigma}{E} + \left(\frac{\sigma}{K'} \right)^{1/n'}$$



Local strain-life relationship

$$\frac{\Delta\varepsilon}{2} = \frac{\sigma'_f}{E} (2N_f)^b + \varepsilon'_f (2N_f)^c$$



4.3) Frequency domain fatigue method

4.3.1) Fatigue analysis in random vibration

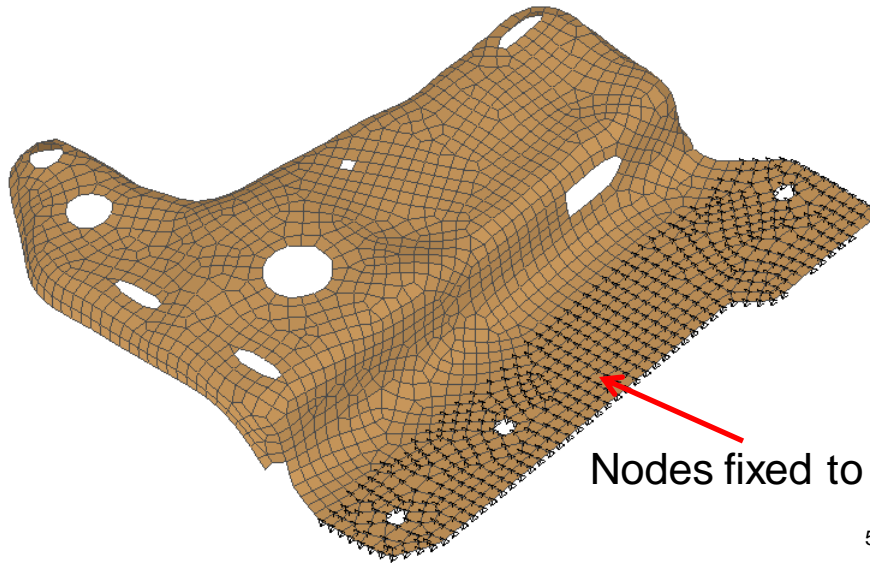
- Keyword
***FREQUENCY_DOMAIN_RANDOM_VIBRATION_FATIGUE**
- Calculate fatigue life of structures under random vibration
- Based on S-N fatigue curve
- Based on probability distribution & Miner's Rule of Cumulative Damage Ratio

$$R = \sum_i \frac{n_i}{N_i}$$

- Schemes:
 - ✓ *Steinberg's Three-band technique considering the number of stress cycles at the 1σ , 2σ , and 3σ levels.*
 - ✓ *Dirlik method based on the 4 Moments of PSD.*
 - ✓ *Narrow band method*
 - ✓ *Wirsching method*
 - ✓ ...

PDF
(probability density function)

Examples of random vibration fatigue



Aluminum 2014 T6

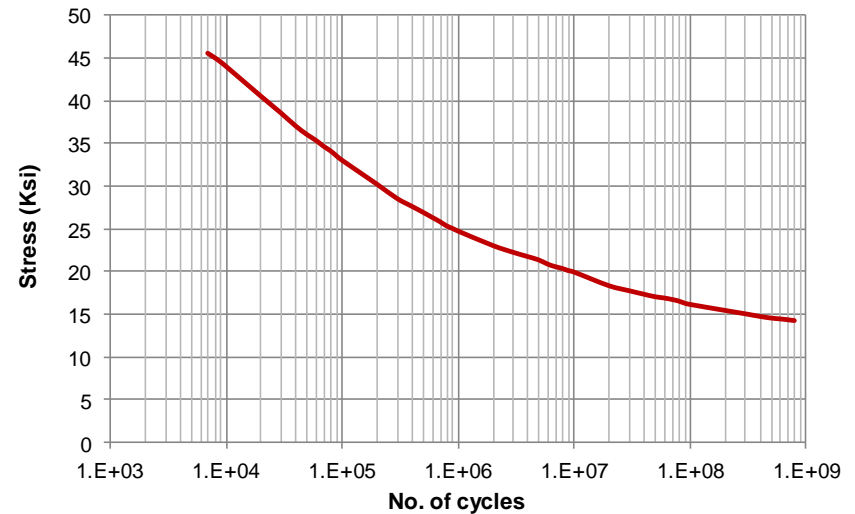
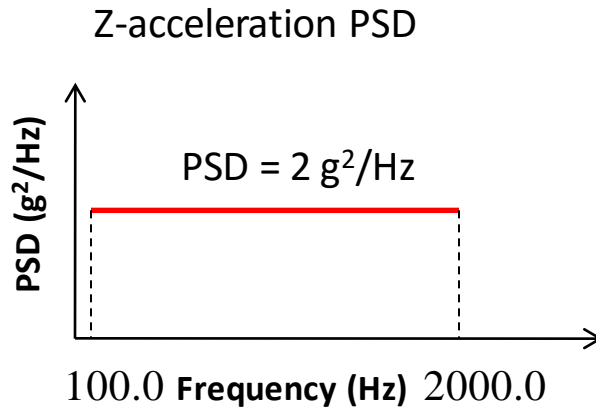
$$\rho = 2800 \text{ kg/m}^3$$

$$E = 72,400 \text{ MPa}$$

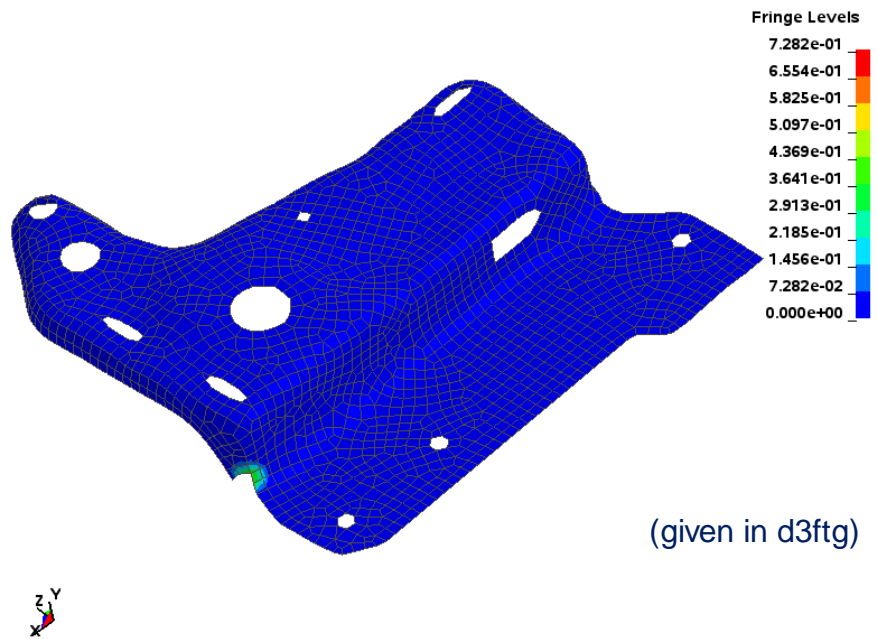
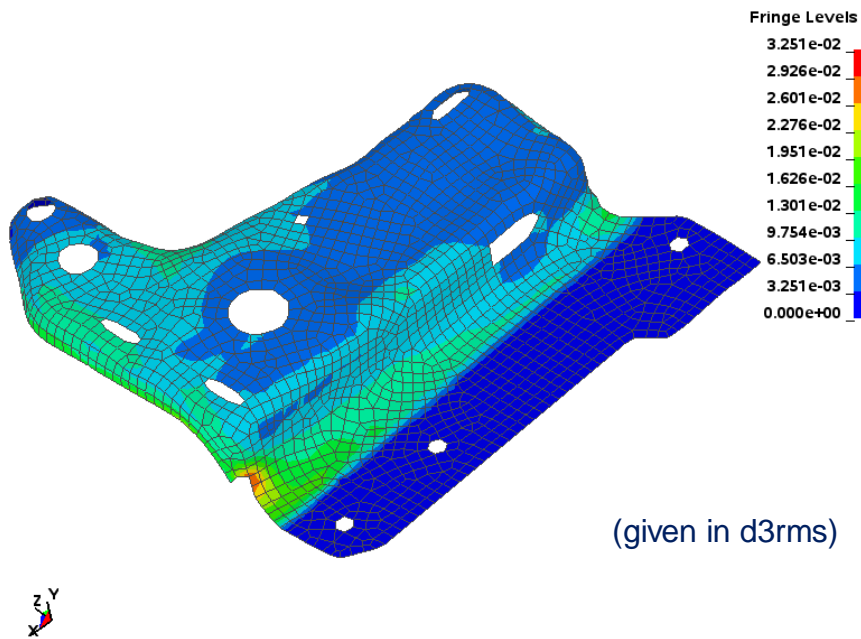
$$\nu = 0.33$$

Time of exposure: 4 hours

Nodes fixed to shaker table

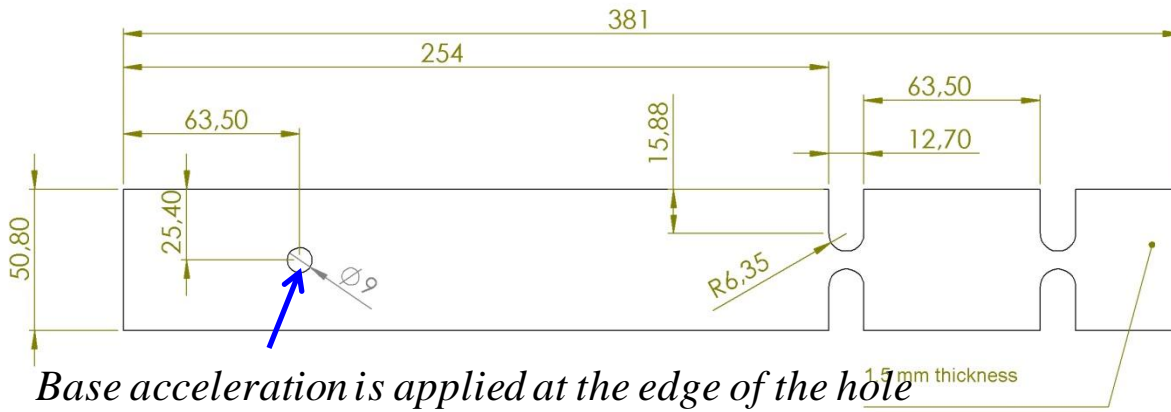


S-N fatigue curve



RMS of Von-Mises stress (unit: GPa)

**Accumulative damage ratio
(by Steinberg's method)**

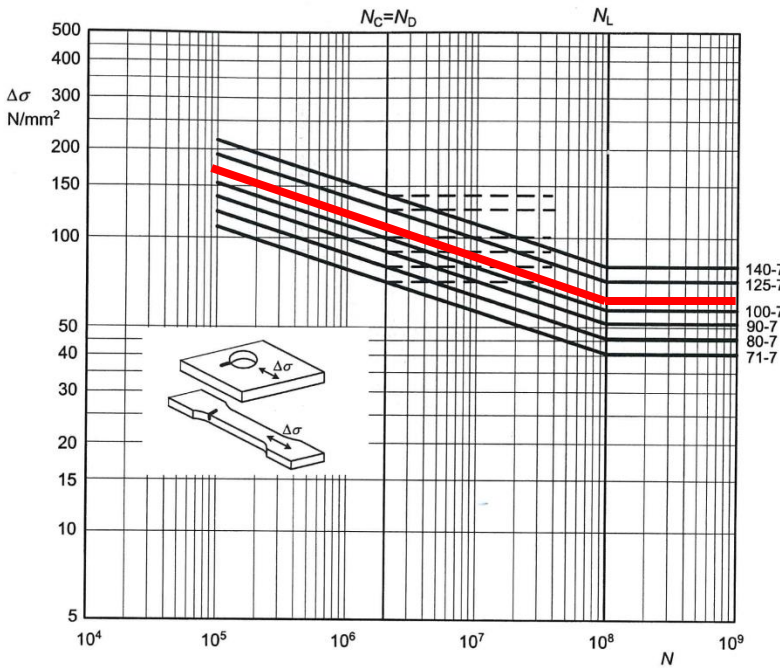


Aluminum alloy 5754

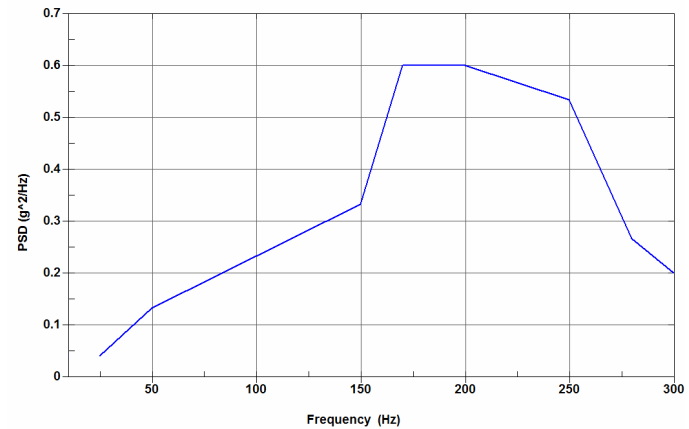
$$\rho = 2700 \text{ kg/m}^3$$

$$E = 70,000 \text{ MPa}$$

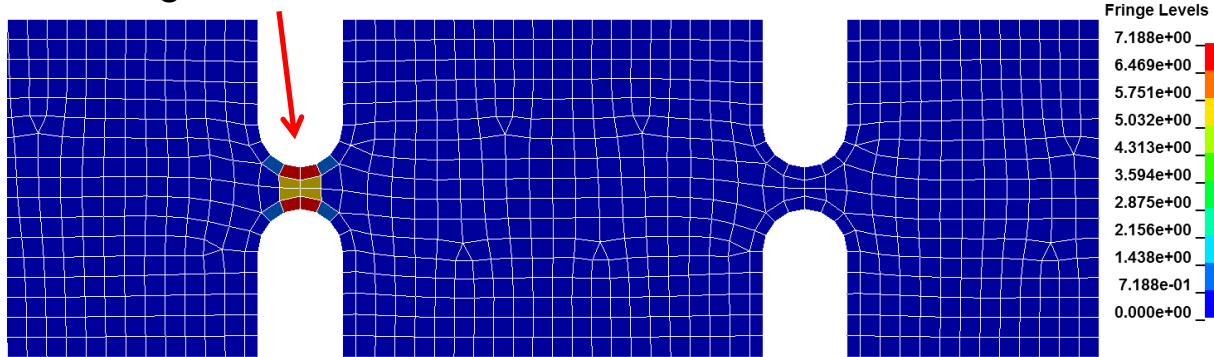
$$\nu = 0.33$$



Acceleration PSD (exposure time: 1800 seconds)

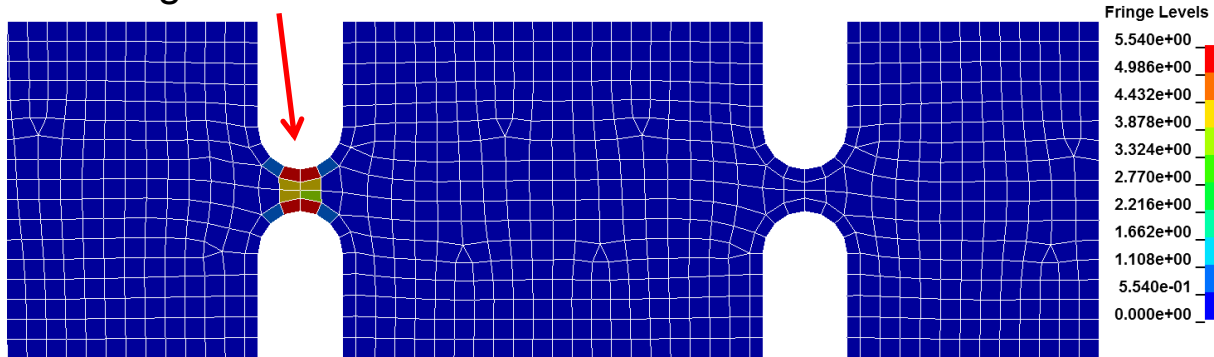


Damage ratio = 7.188



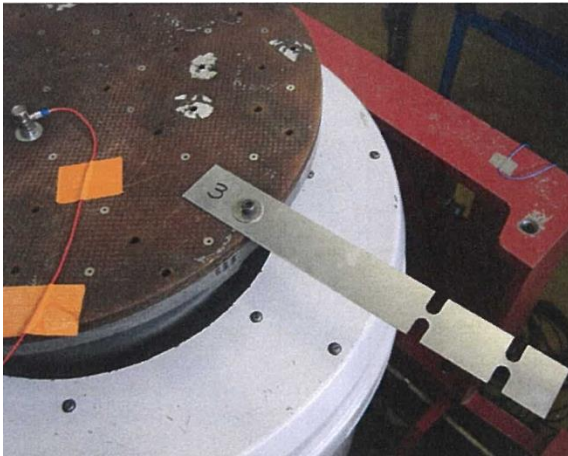
Cumulative damage ratio by Steinberg's method

Damage ratio = 5.540

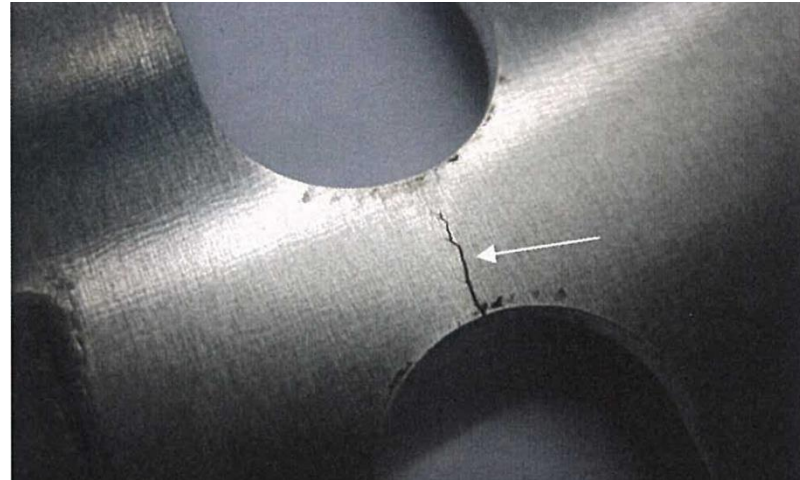


Cumulative damage ratio by Dirlik method

Experiment setup



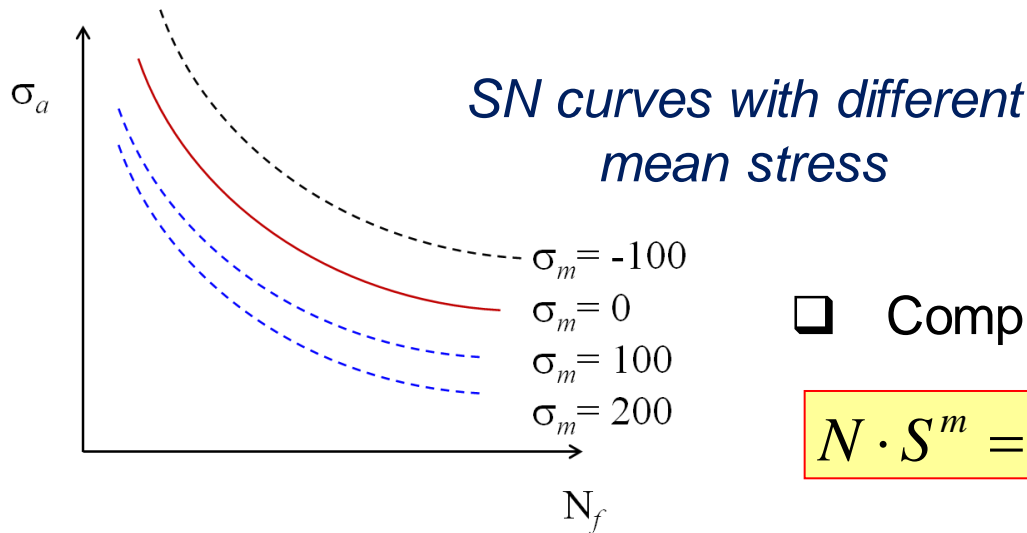
Failure at the notched point in experiment



CIMES France: Ringeval, A., and Huang, Y., "Random Vibration Fatigue Analysis with LS-DYNA", *12th International LS-DYNA Users Conference*, Dearborn, Michigan, June, 2012.

King Saud University: Al-Bahkali Essam, Elkenani Hisham, Souli Mhamed, "NVH and Random Vibration Fatigue Analysis of a Landing Gear's Leg for an Un-Manned Aerial Vehicle Using LS-DYNA", *9th European LS-DYNA Users' Conference*, Manchester, UK, June, 2013.

Mean stress correction



☐ Completely reversed tests

$$N \cdot S^m = a$$

☐ Mean stress correction equations

Goodman

$$S = \frac{\sigma_a}{1 - \sigma_m / \sigma_u}$$

Soderberg

$$S = \frac{\sigma_a}{1 - \sigma_m / \sigma_y}$$

Gerber

$$S = \frac{\sigma_a}{1 - (\sigma_m / \sigma_u)^2}$$

S = Fatigue strength for N cycles under zero mean stress

σ_a = Fatigue strength for N cycles under mean stress σ_m

σ_u = Ultimate tensile strength

σ_y = Yield strength

*FATIGUE_MEAN_STRESS_CORRECTION

Card 1	1	2	3	4	5	6	7	8
Variable	METHOD							
Type	I							

Card 2	1	2	3	4	5	6	7	8
Variable	MID	SIGMA						
Type	I	F						

VARIABLE

DESCRIPTION

METHOD

Mean stress correction method:

EQ.0: Goodman equation

EQ.1: Soderberg equation

EQ.2: Gerber equation

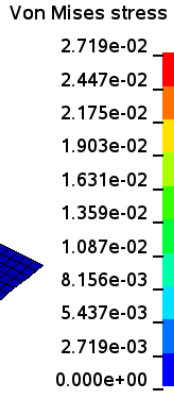
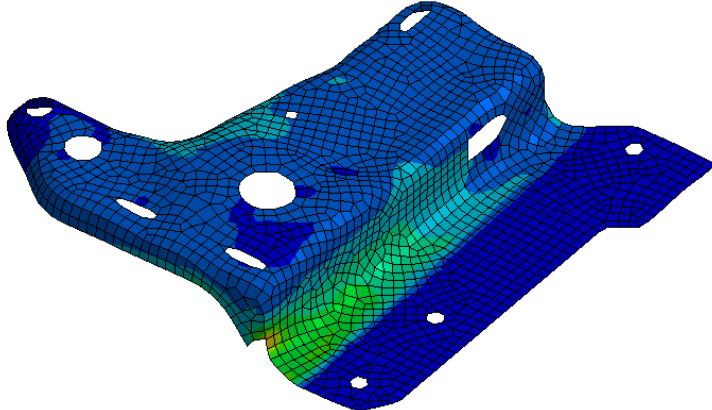
EQ.3: Goodman tension only

EQ.4: Gerber tension only

EQ.11: Morrow equation

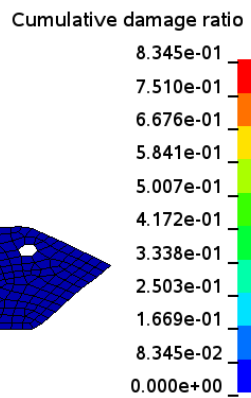
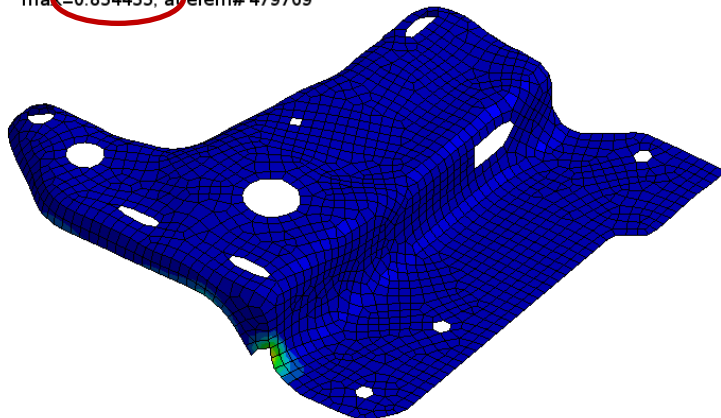
EQ.12: Smith-Watson-Topper equation

Contours of Von Mises stress
 max ip. value
 min=0, at elem# 479600
 max=0.0271851, at elem# 479769

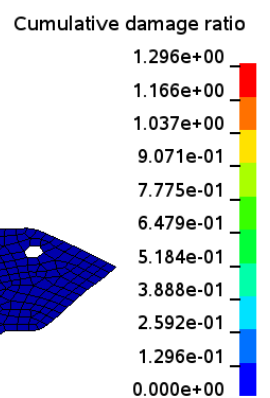
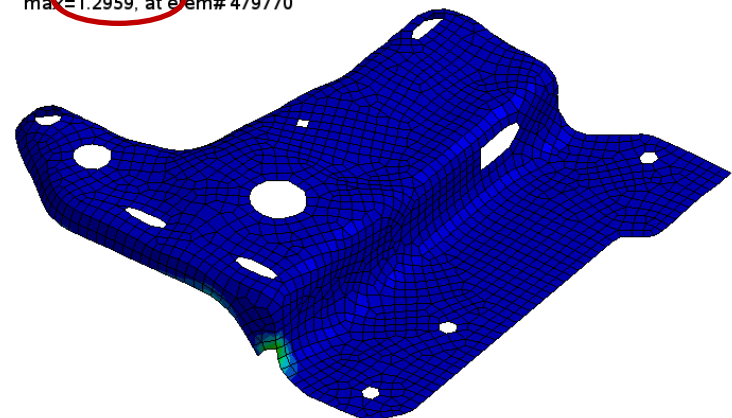


- ✓ Mean stress is introduced by
 - *INITIAL_STRESS_SHELL
 - *INITIAL_STRESS_SOLID ...
- ✓ Mean stress correction method is set by
 - *FATIGUE_MEAN_STRESS_CORRECTION

Contours of Cumulative damage ratio
 max IP. value
 min=0, at elem# 479601
 max=0.834453, at elem# 479769



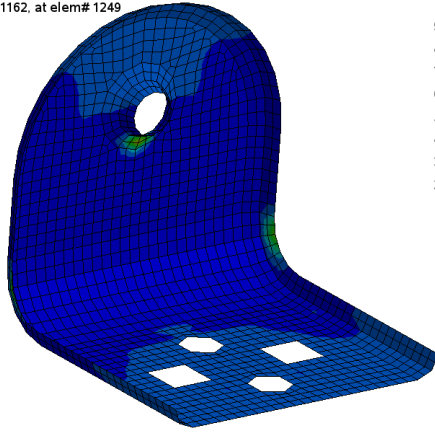
Contours of Cumulative damage ratio
 max IP. value
 min=0, at elem# 479601
 max=1.2959, at elem# 479770



Initial damage ratio in fatigue

Contours of Cumulative damage ratio
max IP. value
min=0.0115297, at elem# 73
max=0.121162, at elem# 1249

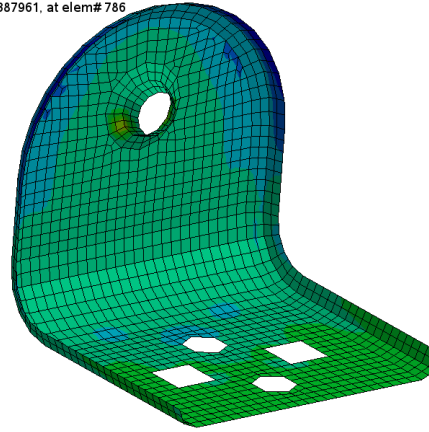
Fringe Levels
1.212e-01
1.102e-01
9.924e-02
8.827e-02
7.731e-02
6.635e-02
5.538e-02
4.442e-02
3.346e-02
2.249e-02
1.153e-02



1: Acceleration PSD in x

Contours of Cumulative damage ratio
max IP. value
min=0.0110497, at elem# 1119
max=0.0387961, at elem# 786

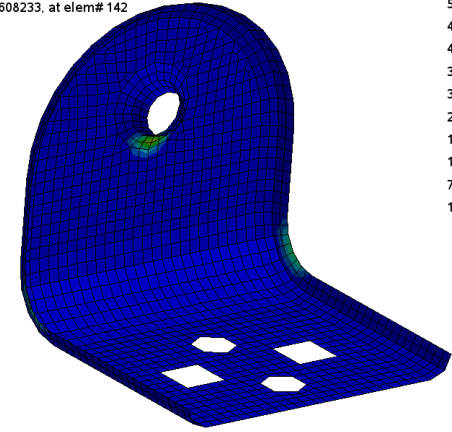
Fringe Levels
3.880e-02
3.602e-02
3.325e-02
3.047e-02
2.770e-02
2.492e-02
2.215e-02
1.937e-02
1.660e-02
1.382e-02
1.105e-02



2: Acceleration PSD in y

Fringe Levels
6.082e-01
4.890e-01
4.294e-01
3.698e-01
3.101e-01
2.505e-01
1.909e-01
1.313e-01
7.166e-02
1.204e-02

Contours of Cumulative damage ratio
max IP. value
min=0.0120373, at elem# 518
max=0.608233, at elem# 142



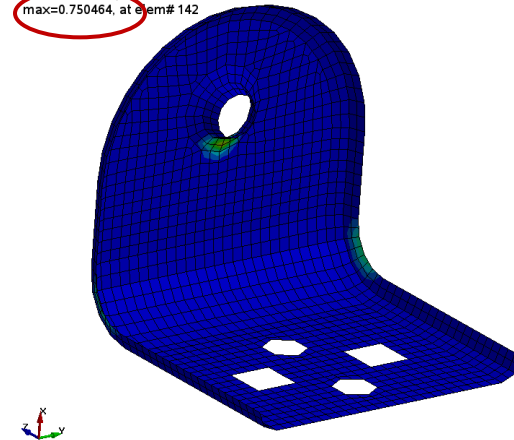
3: Acceleration PSD in z

*INITIAL_FATIGUE_DAMAGE_RATIO

Loading cases	Damage ratio at element 142 (upper)
1	1.21162×10^{-1}
2	2.10685×10^{-2}
3	6.08233×10^{-1}
Total	7.50464×10^{-1}

Contours of Cumulative damage ratio
max IP. value
min=0.0420026, at elem# 518
max=0.750464, at elem# 142

Fringe Levels
7.505e-01
6.796e-01
6.088e-01
5.379e-01
4.671e-01
3.962e-01
3.254e-01
2.545e-01
1.837e-01
1.128e-01
4.200e-02



Cumulative damage ratio

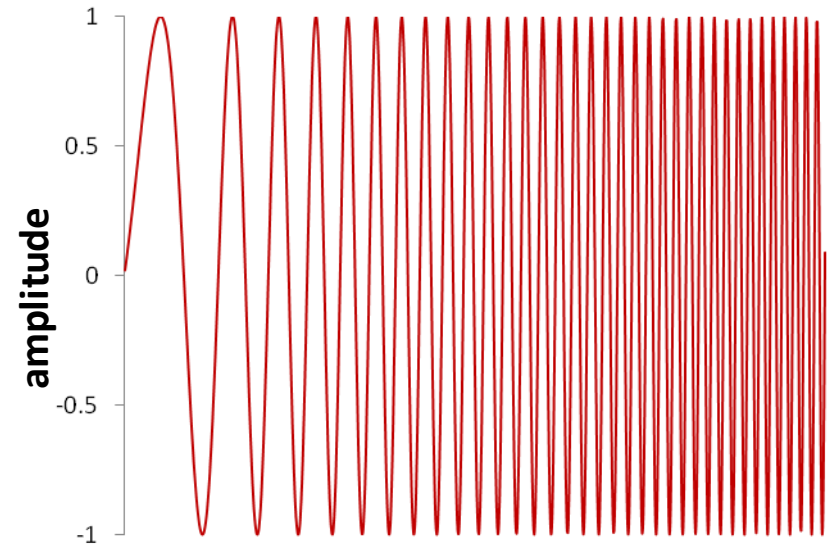
4.3.2) Fatigue analysis in SSD

Introduction

*FREQUENCY_DOMAIN_SSD_FATIGUE

- Calculate fatigue life of structures under steady state vibration (e.g. sine sweep)
- Based on S-N fatigue curve
- Based on Miner's Rule of Cumulative Damage Ratio
- Rainflow counting algorithm for each frequency for one period

$$R = \sum_i \frac{n_i}{N_i}$$



Sine sweep

Keyword

***FREQUENCY_DOMAIN_SSD_FATIGUE**

Card 3	1	2	3	4	5	6	7	8
Variable					STRTYP	NOUT	NOTYP	NOVA
Type					I	I	I	I
Default					0	0	0	0

Card 4	1	2	3	4	5	6	7	8
Variable	NID	NTYP	DOF	VAD	LC1	LC2	LC3	VID
Type	I	I	F	F	I	I	I	I
Default	none	0	none	none	none	none	0	0

VARIABLE	DESCRIPTION
STRTYP	Stress type used in fatigue analysis = 0 Von Mises stress = 1 Maximum principal stress = 2 Maximum shear stress
LC3	Load Curve ID defining load duration for each frequency. This parameter is optional and is only needed for simulating sine sweep vibration

Example of SSD fatigue

Loading condition

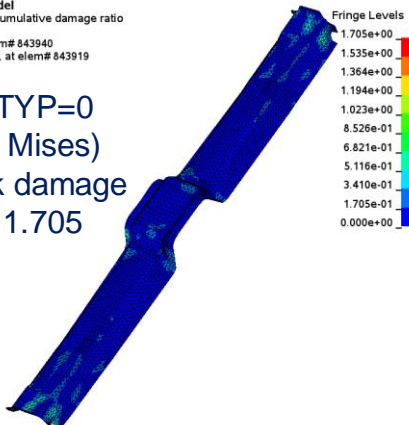
Freq (Hz)	Acl (g)	Duration (min)
16	0.5	12
20	0.5	12
25	0.5	12
31.5	0.5	12
...
2000	0.5	12

SN fatigue curve

σ (MPa)	N
100	8×10^4
10	8×10^5
1.	8×10^6
0.1	8×10^7
0.01	8×10^8

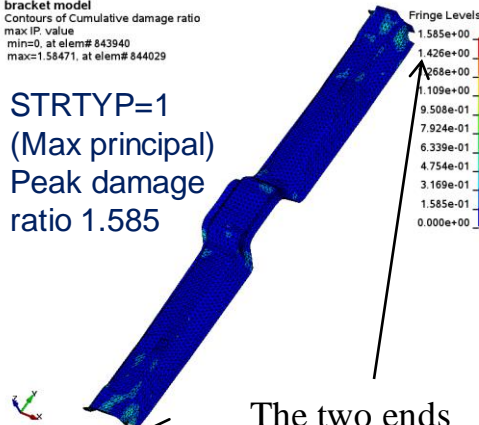
bracket model
Contours of Cumulative damage ratio
max IP value
min=0, at elem# 843940
max=1.70523, at elem# 843919

STRYP=0
(Von Mises)
Peak damage
ratio 1.705



bracket model
Contours of Cumulative damage ratio
max IP value
min=0, at elem# 843940
max=1.58471, at elem# 844029

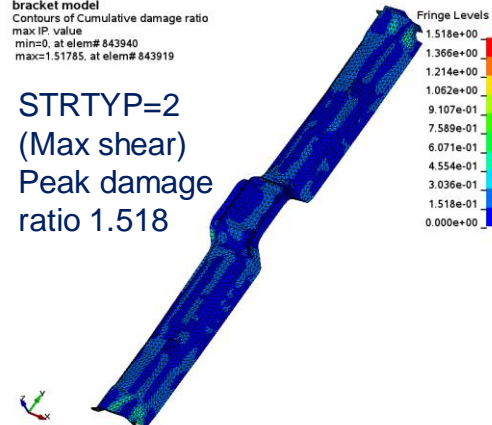
STRYP=1
(Max principal)
Peak damage
ratio 1.585



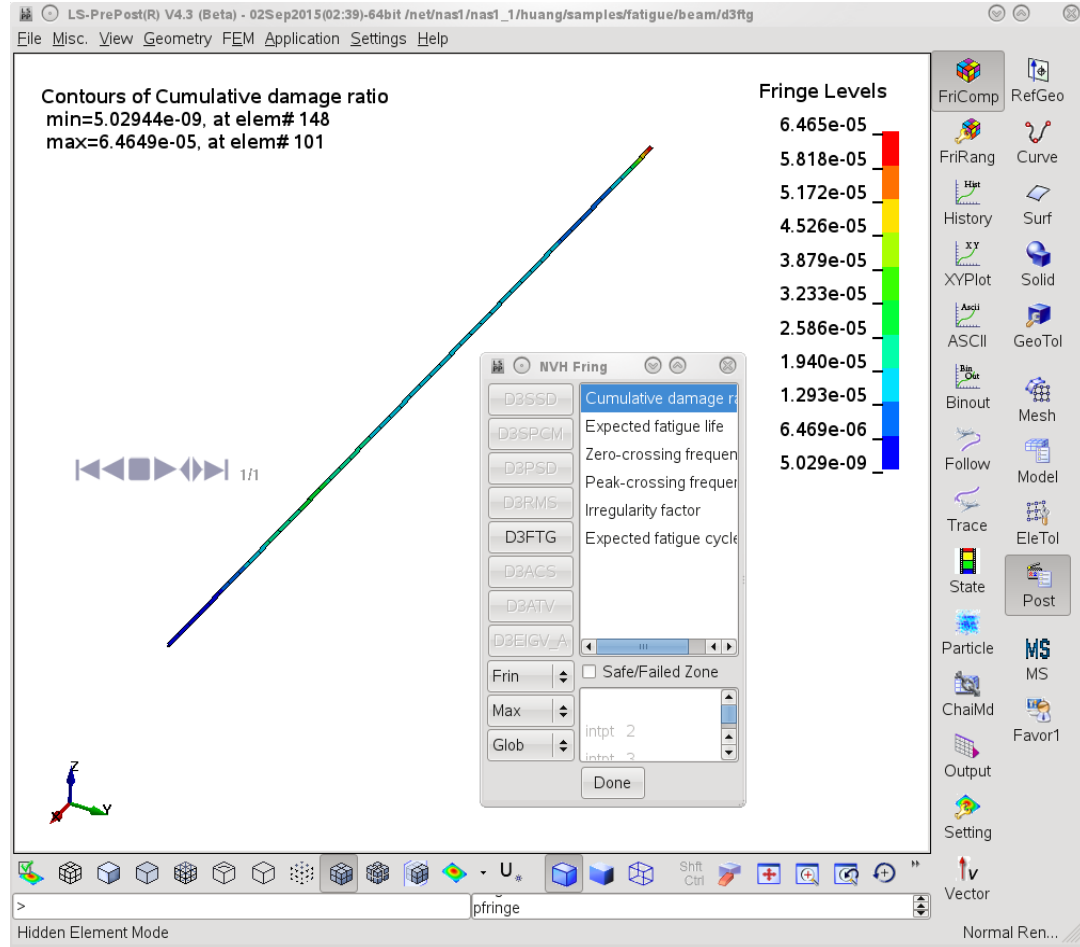
The two ends
are constrained

bracket model
Contours of Cumulative damage ratio
max IP value
min=0, at elem# 843940
max=1.51785, at elem# 843919

STRYP=2
(Max shear)
Peak damage
ratio 1.518



Fatigue analysis with beams



- Applicable to beam elements which are not based on resultant formulation
- User need to turn on **BEAMIP** in ***DATABASE_EXTENT_BINARY**
- Results are saved in d3ftg, supported by LS-PrePost 4.3

4.4) Time domain fatigue method



*FATIGUE_{OPTION}

Card 1	1	2	3	4	5	6	7	8
Variable	SSID	SSTYPE						
Type	I	I						

Card 2	1	2	3	4	5	6	7	8
Variable	DT							
Type	I							

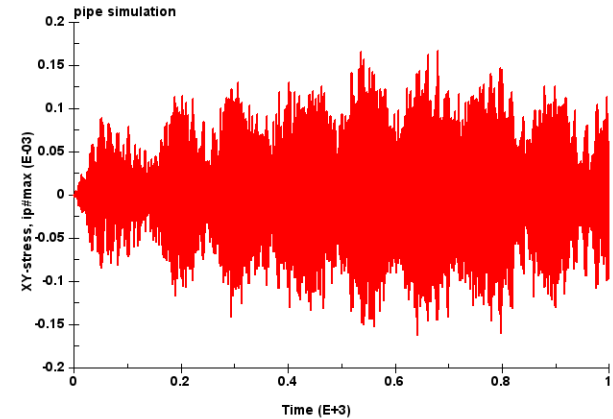
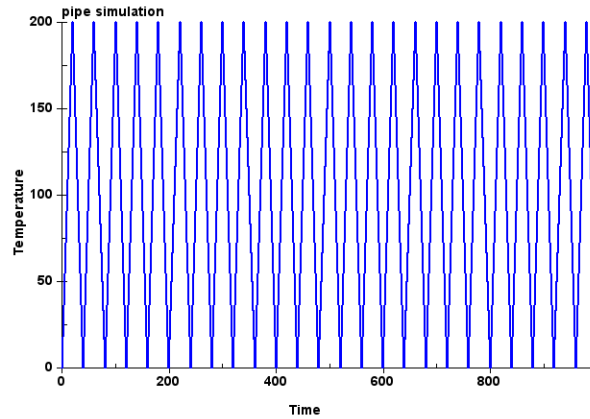
Card 3	1	2	3	4	5	6	7	8
Variable	STRES	INDEX	RESTR					
Type	I	I	I					

<u>VARIABLE</u>	<u>DESCRIPTION</u>	<u>VARIABLE</u>	<u>DESCRIPTION</u>
STRES	Type of fatigue analysis variable: EQ.0: Stress (default) EQ.1: Strain	INDEX	Stress / strain index: EQ.0: Von-Mises stress/ strain EQ.1: Maximum principal stress/strain EQ.2: Maximum shear stress/strain EQ.-1: xx-stress/strain EQ.-2: yy-stress/strain EQ.-3: zz-stress/strain EQ.-4: xy-stress/strain EQ.-5: yz-stress/strain EQ.-6: zx-stress/strain
OPTION: ELOUT			

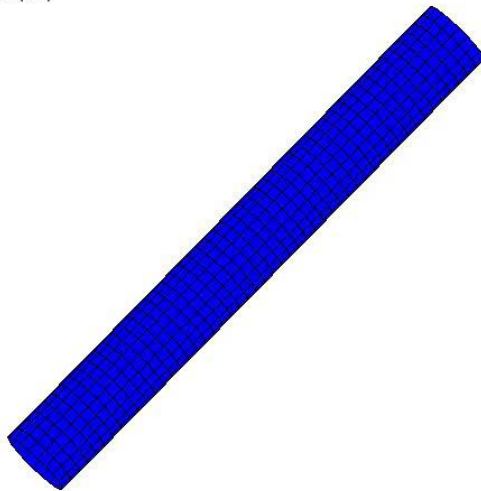
4.4.1) Stress-based approach

*LOAD_THERMAL_LOAD_CURVE

*MAT_ELASTIC_PLASTIC_THERMAL

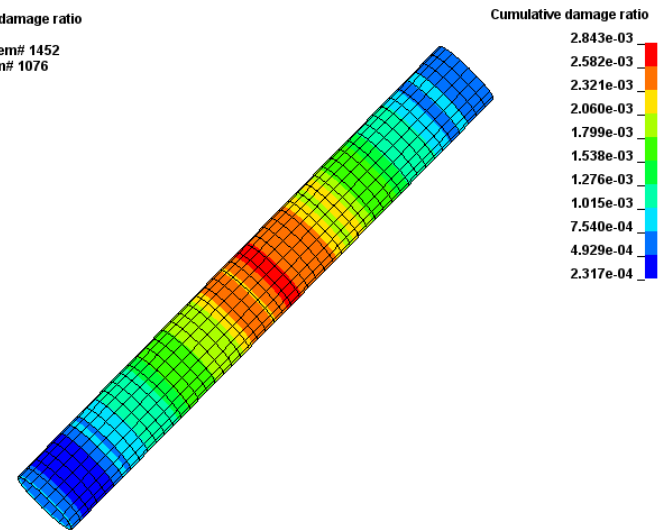


pipe simulation
Time = 0
Contours of Effective Stress (v-m)
max IP. value
min=0, at elem# 1000
max=0, at elem# 1000



Effective Stress (v-m)
0.000e+00
0.000e+00
0.000e+00
0.000e+00
0.000e+00
0.000e+00
0.000e+00
0.000e+00
0.000e+00
0.000e+00
0.000e+00

pipe simulation
Contours of Cumulative damage ratio
max IP. value
min=0.000231687, at elem# 1452
max=0.0028434, at elem# 1076



Cumulative damage ratio
2.843e-03
2.582e-03
2.321e-03
2.060e-03
1.799e-03
1.538e-03
1.276e-03
1.015e-03
7.540e-04
4.929e-04
2.317e-04



4.4.2) Strain-based approach

Local strain life equation

$$\frac{\Delta \varepsilon}{2} = \frac{\sigma'_f}{E} (2N_f)^b + \varepsilon'_f (2N_f)^c$$

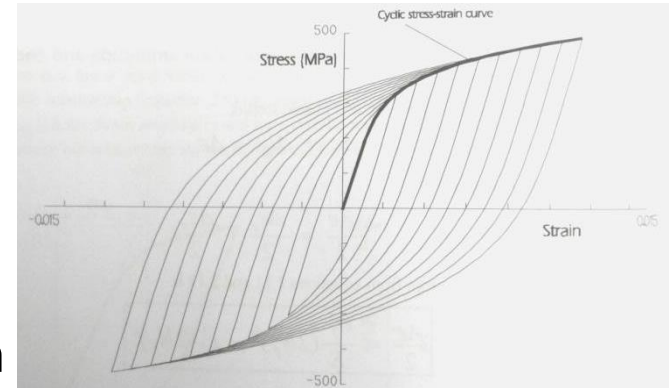
Smith-Watson-Topper mean stress correction

$$\frac{\Delta \varepsilon}{2} \sigma_{\max} = \frac{(\sigma'_f)^2}{E} (2N_f)^{2b} + \sigma'_f \varepsilon'_f (2N_f)^{b+c}$$

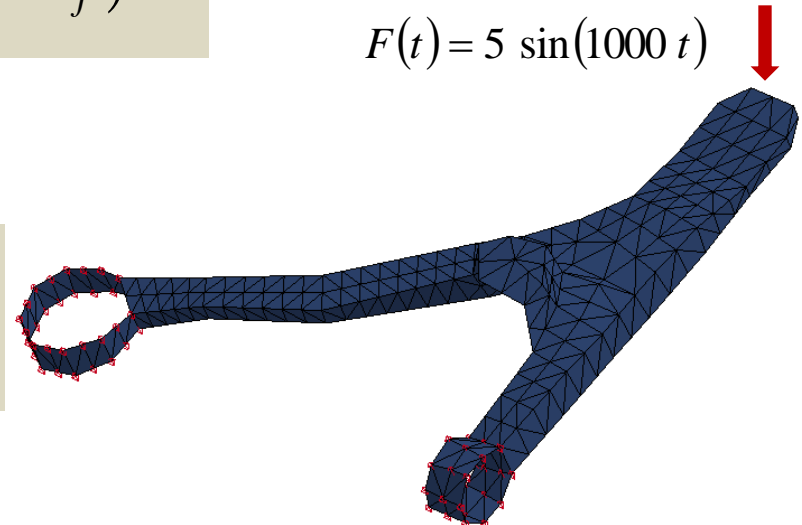
Morrow's mean stress correction

$$\frac{\Delta \varepsilon}{2} = \frac{\sigma'_f - \sigma_m}{E} (2N_f)^b + \varepsilon'_f (2N_f)^c$$

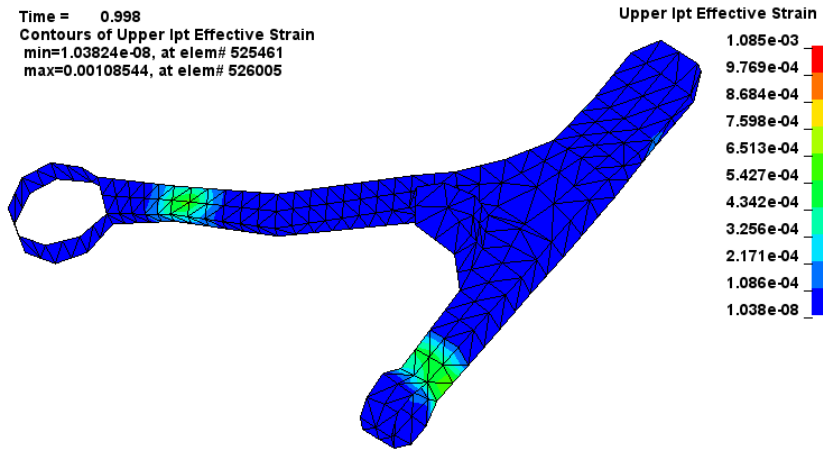
Cyclic stress-strain hysteresis loop



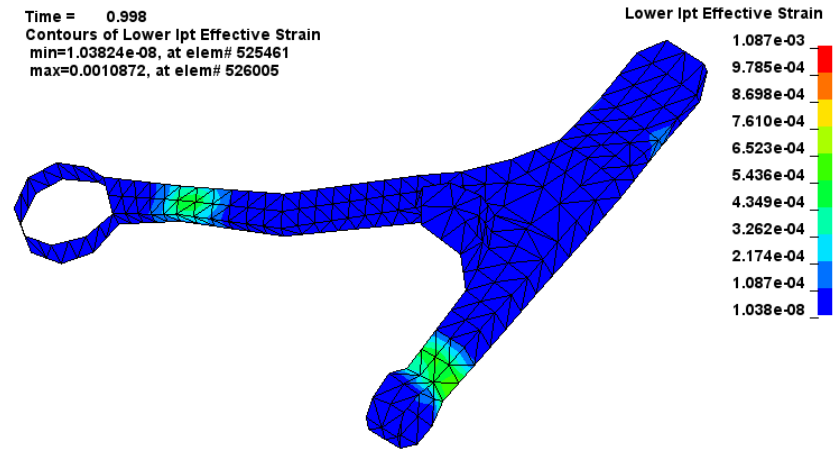
$$F(t) = 5 \sin(1000 t)$$



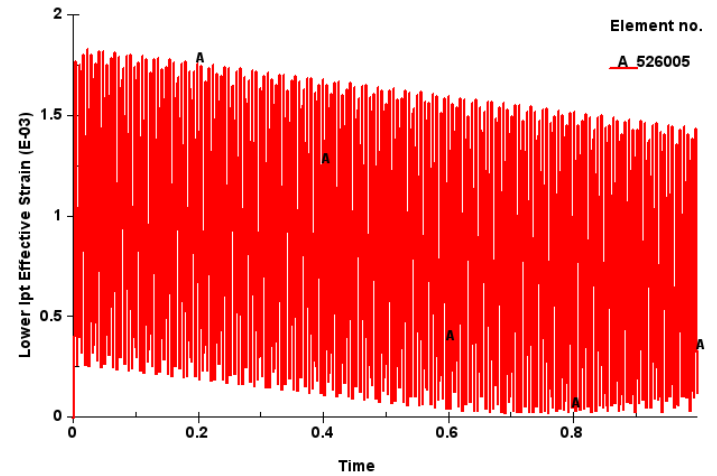
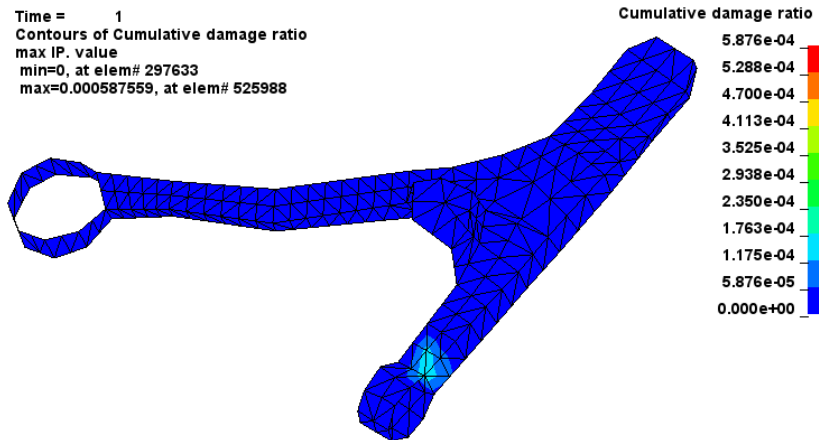
Time = 0.998
 Contours of Upper Ipt Effective Strain
 min=1.03824e-08, at elem# 525461
 max=0.00108544, at elem# 526005



Time = 0.998
 Contours of Lower Ipt Effective Strain
 min=1.03824e-08, at elem# 525461
 max=0.0010872, at elem# 526005



Time = 1
 Contours of Cumulative damage ratio
 max IP. value
 min=0, at elem# 297633
 max=0.000587559, at elem# 525988

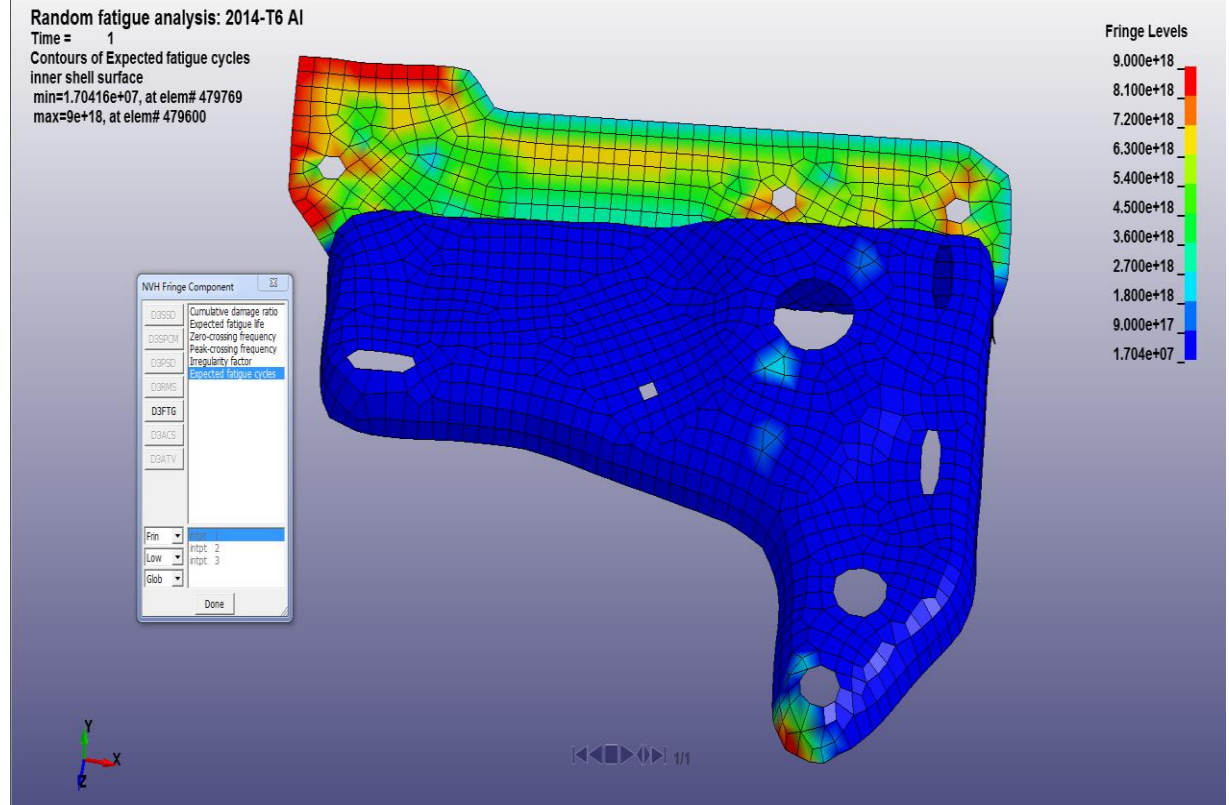
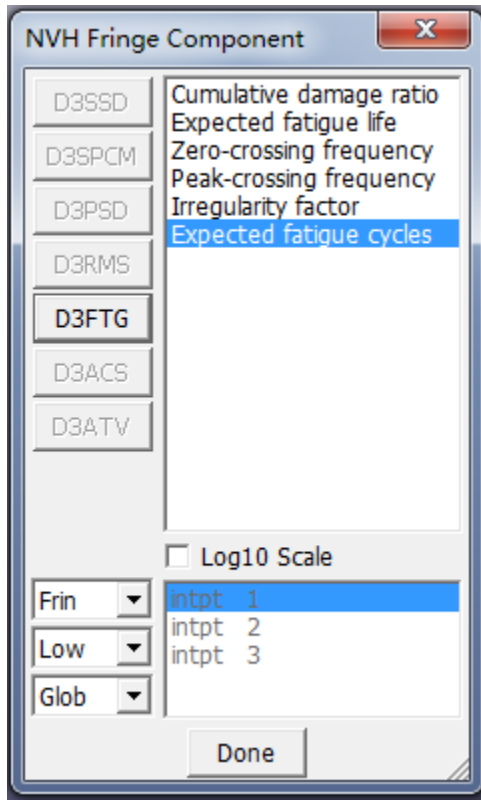


4.5) Fatigue analysis database: d3ftg



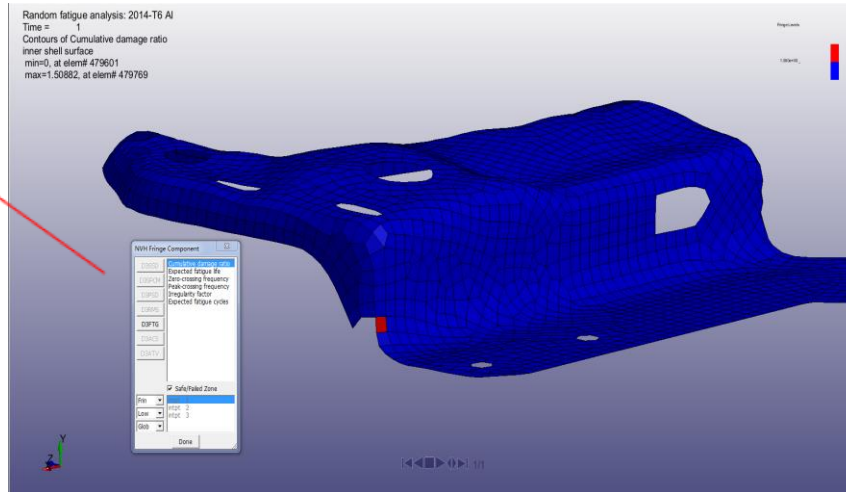
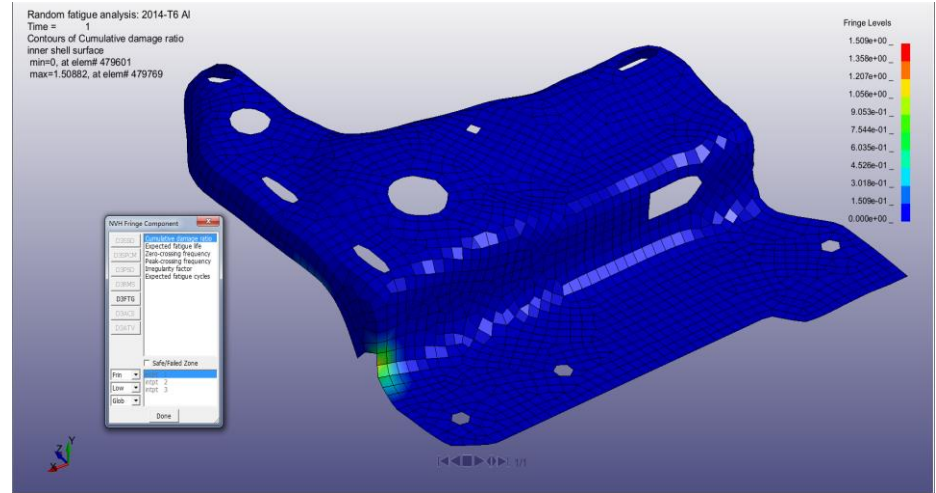
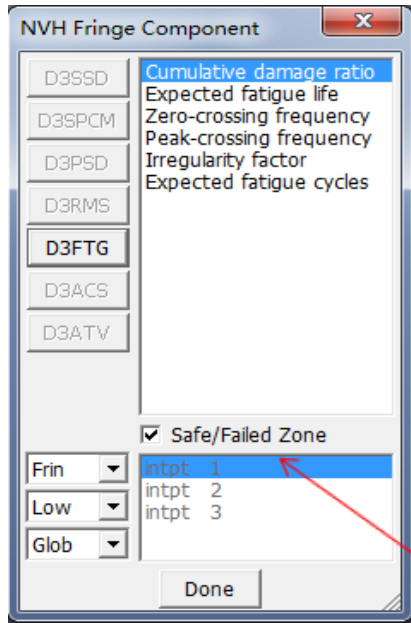
- Make sure to show only the parts subjected to fatigue computation.
- Results are given at integration points.
- Six results are included in d3ftg file:
 - ✓ Result 1: cumulative damage ratio (check the Max for integration pts)
 - ✓ Result 2: expected fatigue life (check the Min for integration pts) (for random vibration only)
 - ✓ Result 3: zero-crossing frequencies (for random vibration only)
 - ✓ Result 4: peak-crossing frequencies (for random vibration only)
 - ✓ Result 5: irregularity factor (for random vibration only)
 - ✓ Result 6: expected fatigue cycles (for random vibration only)

d3ftg fringe component



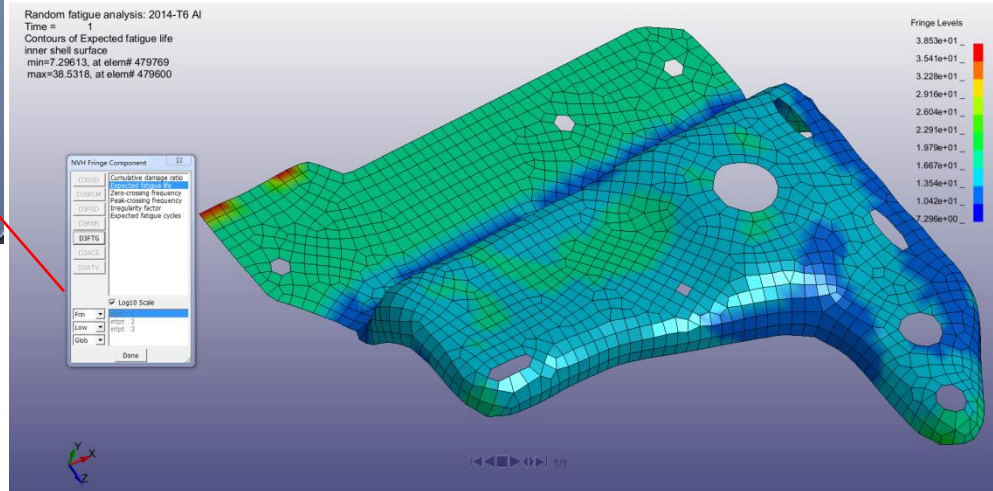
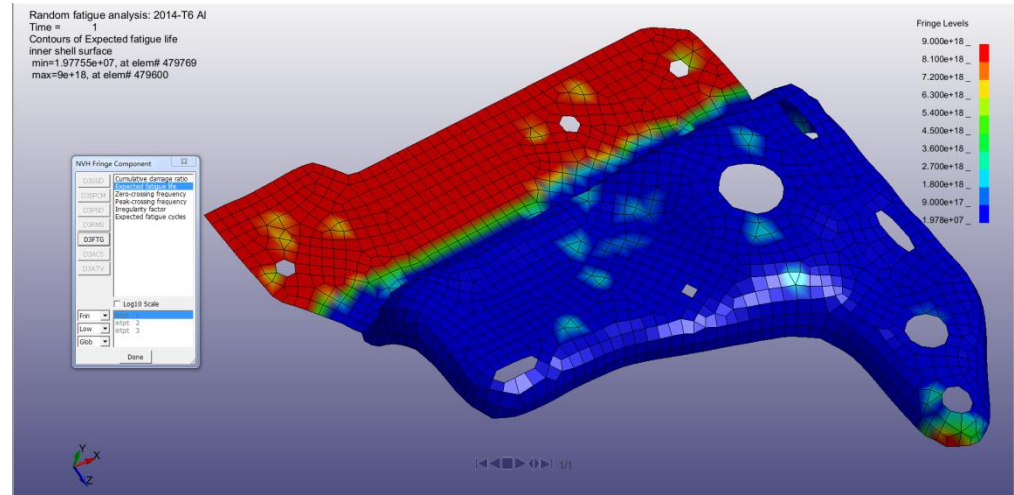
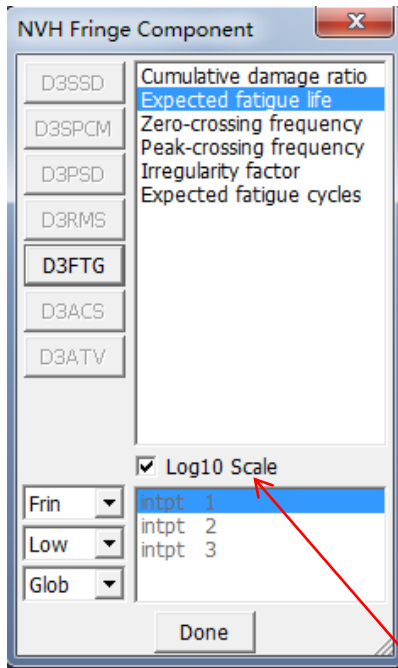
d3ftg

Show the fatigue Safe/Failed zone.



The Safe/Failed zone function can help user to locate the fatigue failed zone quickly.

Show log scaling on expected fatigue life.



The log10 scale can be helpful to show the fringe of expected fatigue life, which may have a huge span of values.

5) CONCLUSION & FUTURE WORK

- Framework for vibration / acoustic / fatigue solvers created
- Basic capabilities / functionalities implemented
- Continue to work on direct SSD, damping, frequency dependent material properties, auto / aircraft seats
- DDAM: more criteria / standards on Shock Design Values
- Aero-acoustics
- Thermo-acoustic
- Pre- and post-processing for SEA
- Multi-axial fatigue analysis
- Strain based fatigue analysis using elastic FEM (Neuber' equation is needed)
- Progressive fatigue database to show the fatigue failure evolution in time domain (like d3plot)

Thank you !